



Detector Tomography of Superconducting Single Photon Detectors

Jelmer J. Renema

renema@physics.leidenuniv.nl

Jelmer J. Renema¹, Rosalinda Gaudio², Giulia Frucci², Döndü Sahin²,
Zili Zhou², Alesandro Gaggero³, Francesco Mattioli³, Roberto Leoni³,
Michiel J.A. de Dood¹, Andrea Fiore², Martin P. van Exter¹

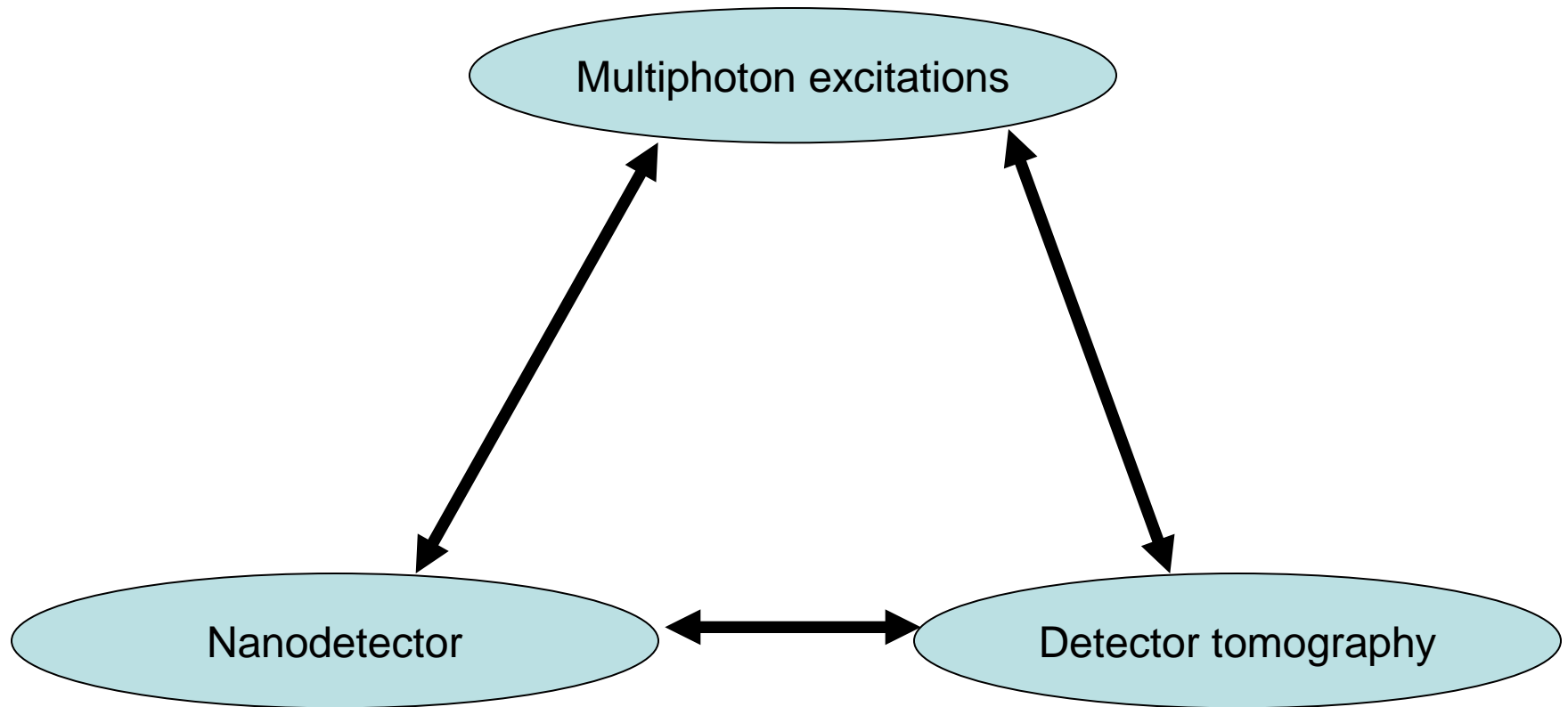
¹) Leiden University, Leiden, the Netherlands

²) Cobra Research Institute, Eindhoven, the Netherlands

³) IFN, Rome, Italy



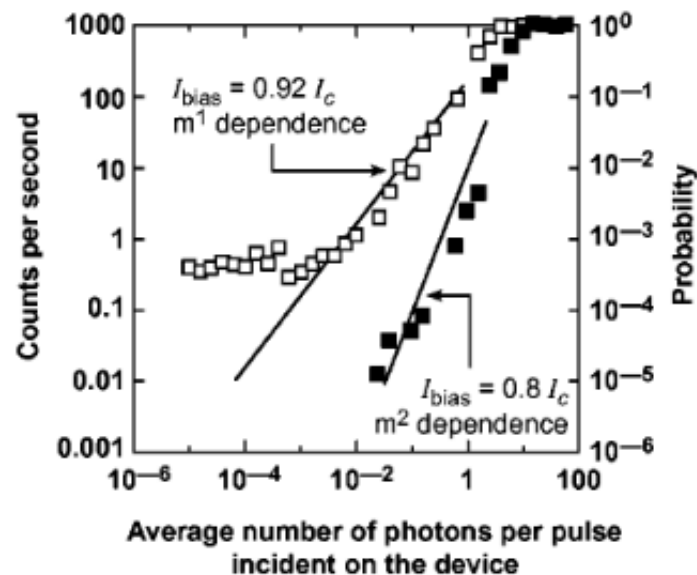
Goal: investigate SSPD fundamentals



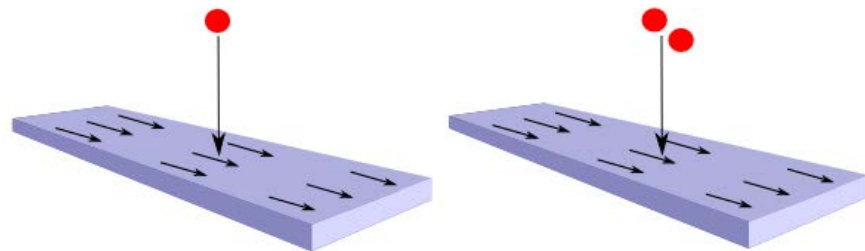
Multiphoton excitations

Appl. Phys. Lett., Vol. 79, No. 6, 6 August 2001

- Observed in 2001 [1], but considered a curiosity
- We claim: important experimental tool:
 - Enhanced dynamic range
 - Probe with multiple energies in a single experiment

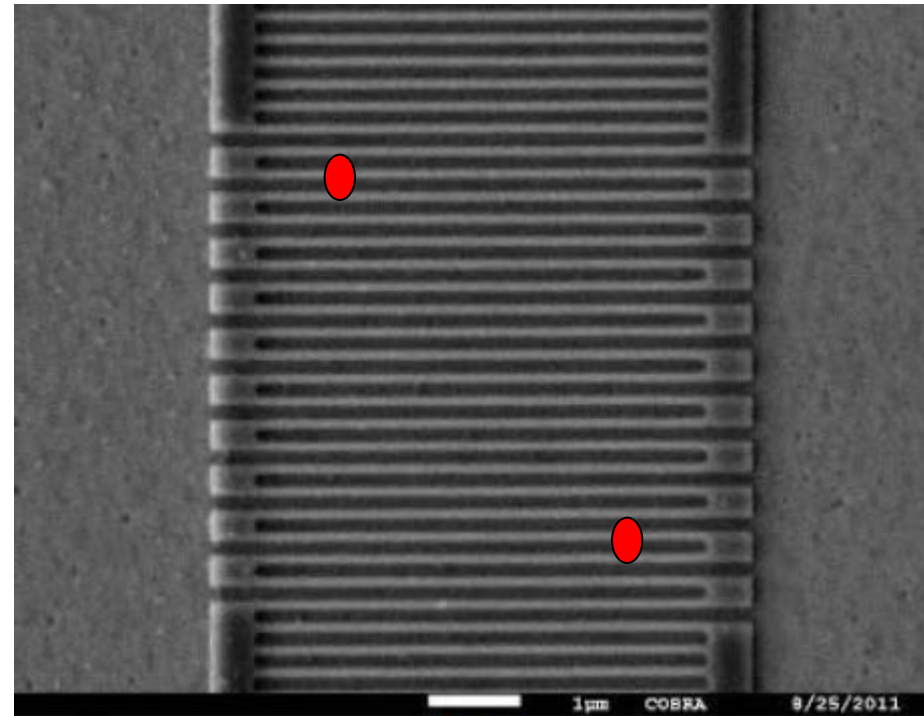


[1] Goltsman APL **79** (2001)



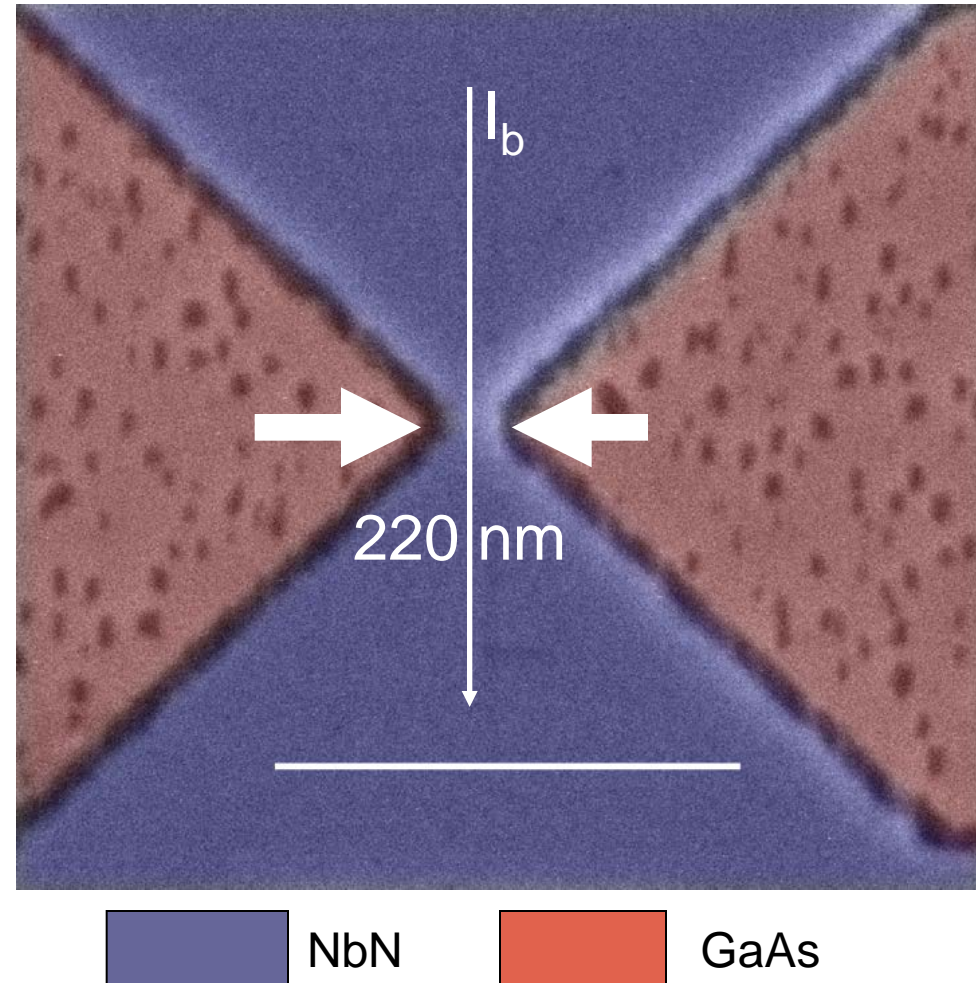
How to study multiphoton excitations?

- Exist in meander, but suppressed due to geometry
- Furthermore: meander has:
 - Bends
 - ‘Constrictions’
- Fundamental study, so efficiency not an issue



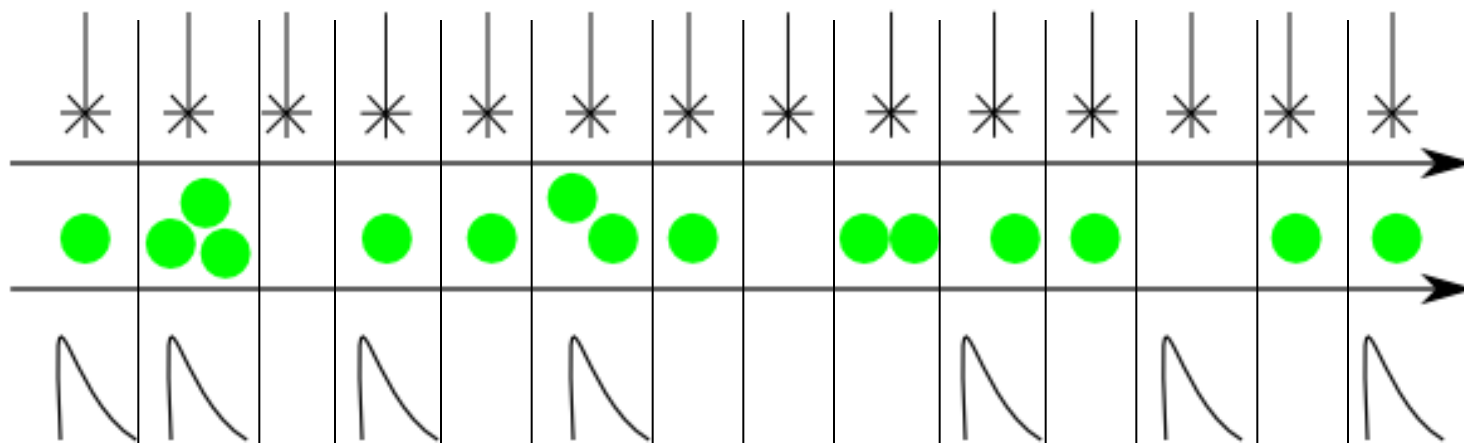
Our sample: nanodetector

- One active point, 150, 220 nm wide NbN on GaAs (5 nm)
- Simple geometry
- Few fabrication errors
- Several multiphoton processes at once



Detector tomography

- Method to measure strength of multiphoton processes
- Gives probability that detector responds to N photons



$$\left. \begin{array}{l} P(\text{detection}|\text{Intensity}) \\ P(\# \text{ photons}|\text{Intensity}) \end{array} \right\} P(\text{detection}|\# \text{ photons})$$

Why detector tomography?

- Fundamentals: Agnostic description
- Applications: Complete description

SSPD modeling:

- 1) Efficiency
- 2) Dark counts
- 3) Constrictions
- 4) Varying efficiency
over active area
- 5) Effects of cavity
- 6) ???



Why detector tomography?

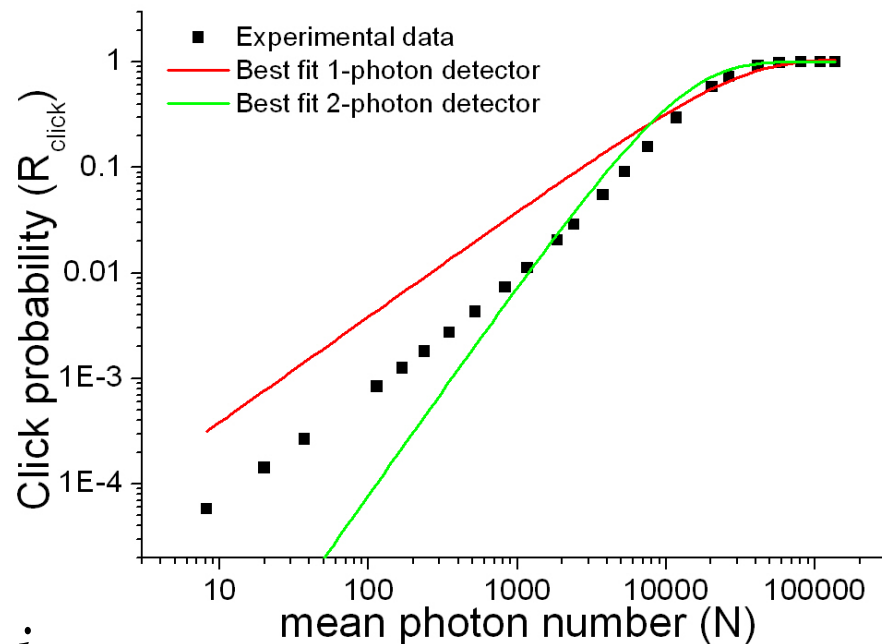
- Fundamentals: Agnostic description
- Applications: Complete description

Detector tomography:

p_i : probability of click given i photons

How to do detector tomography

- Measure counts vs input intensity
- Response to i photons given by p_i
- Treat linear efficiency separately, but as free parameter

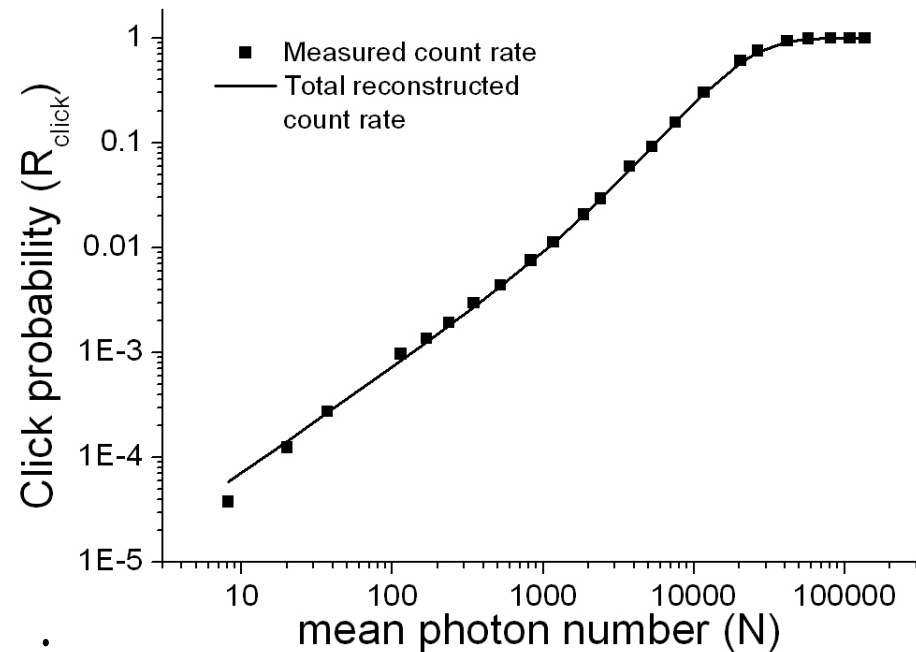


$$R(N) = e^{-\eta N} \sum_i p_i \frac{(\eta N)^i}{i!}$$

Detector Tomography

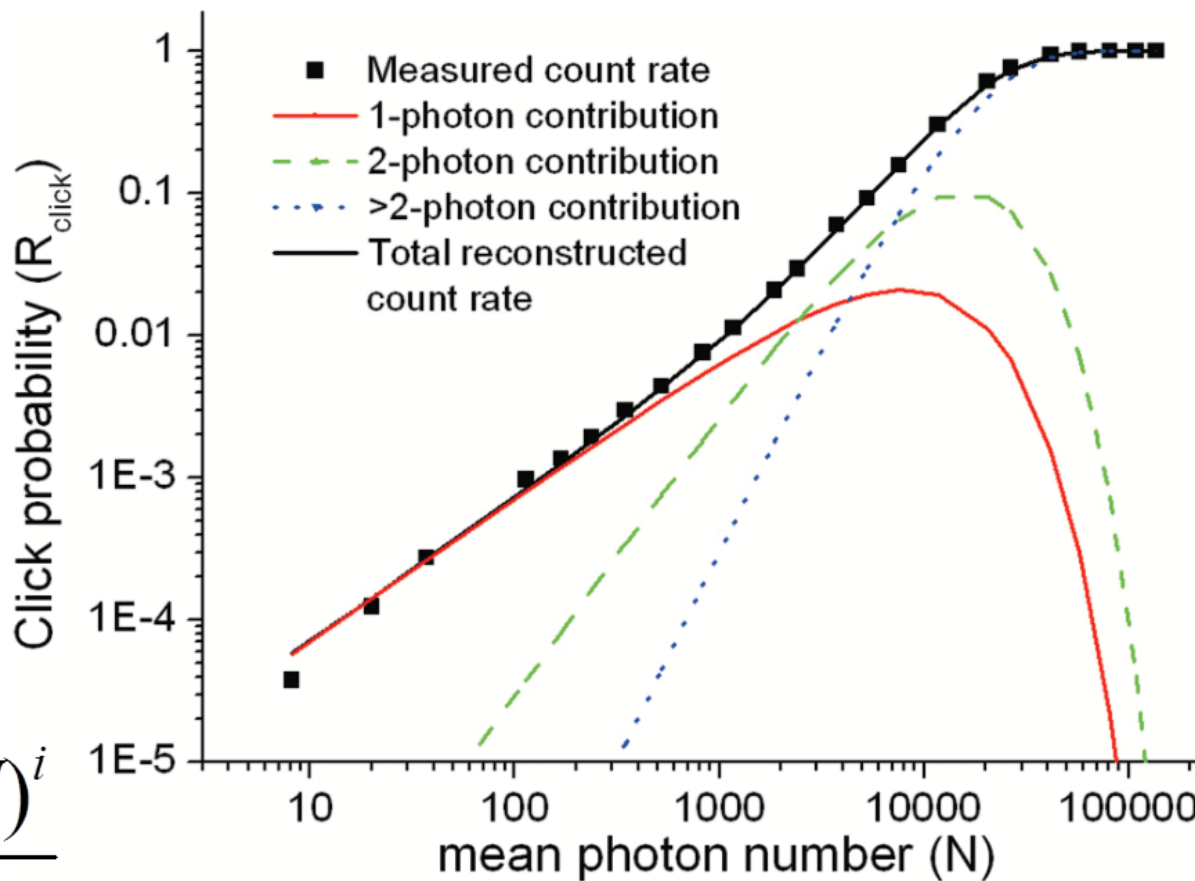
- Measure counts vs input intensity
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$$R(N) = e^{-\eta N} \sum_i p_i \frac{(\eta N)^i}{i!}$$



Complete tomography

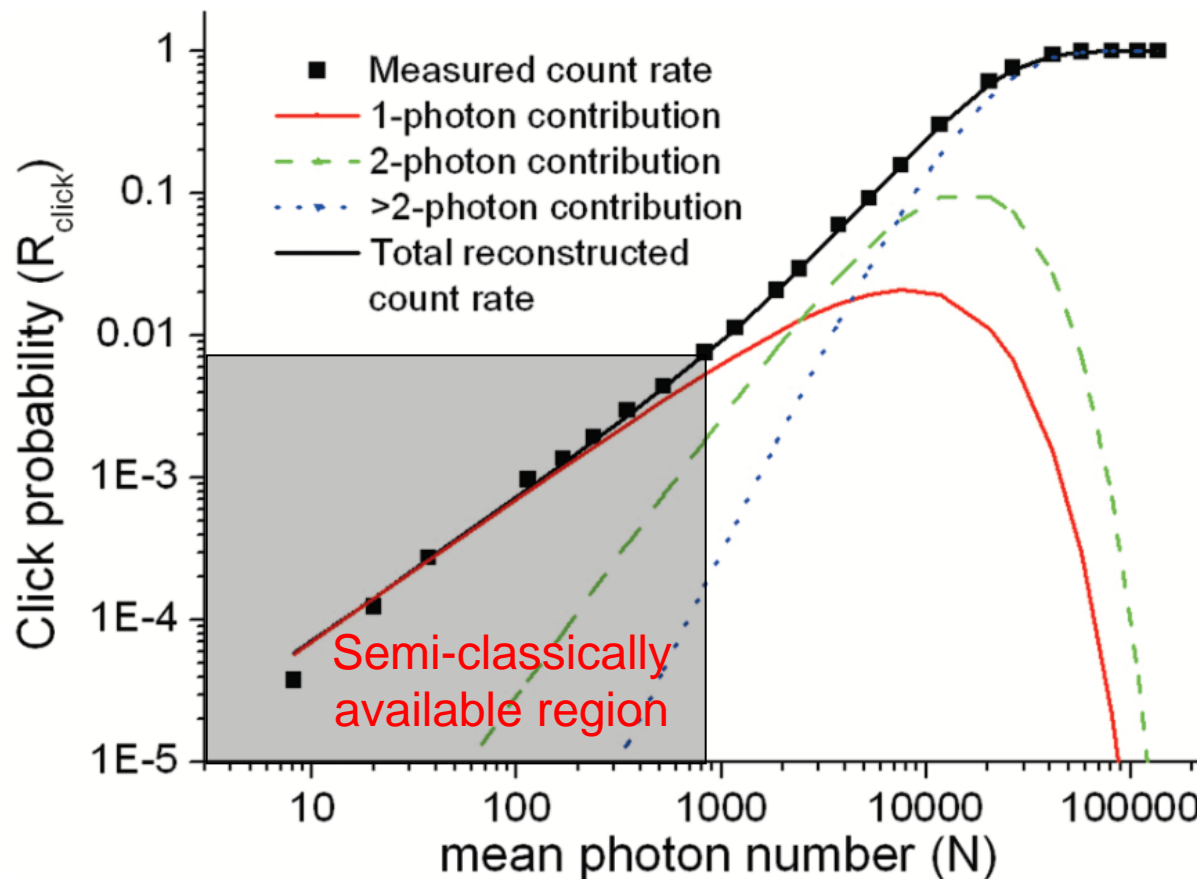
- 1, 2 photon processes present



$$R(N) = e^{-\eta N} \sum_i p_i \frac{(\eta N)^i}{i!}$$

Complete tomography

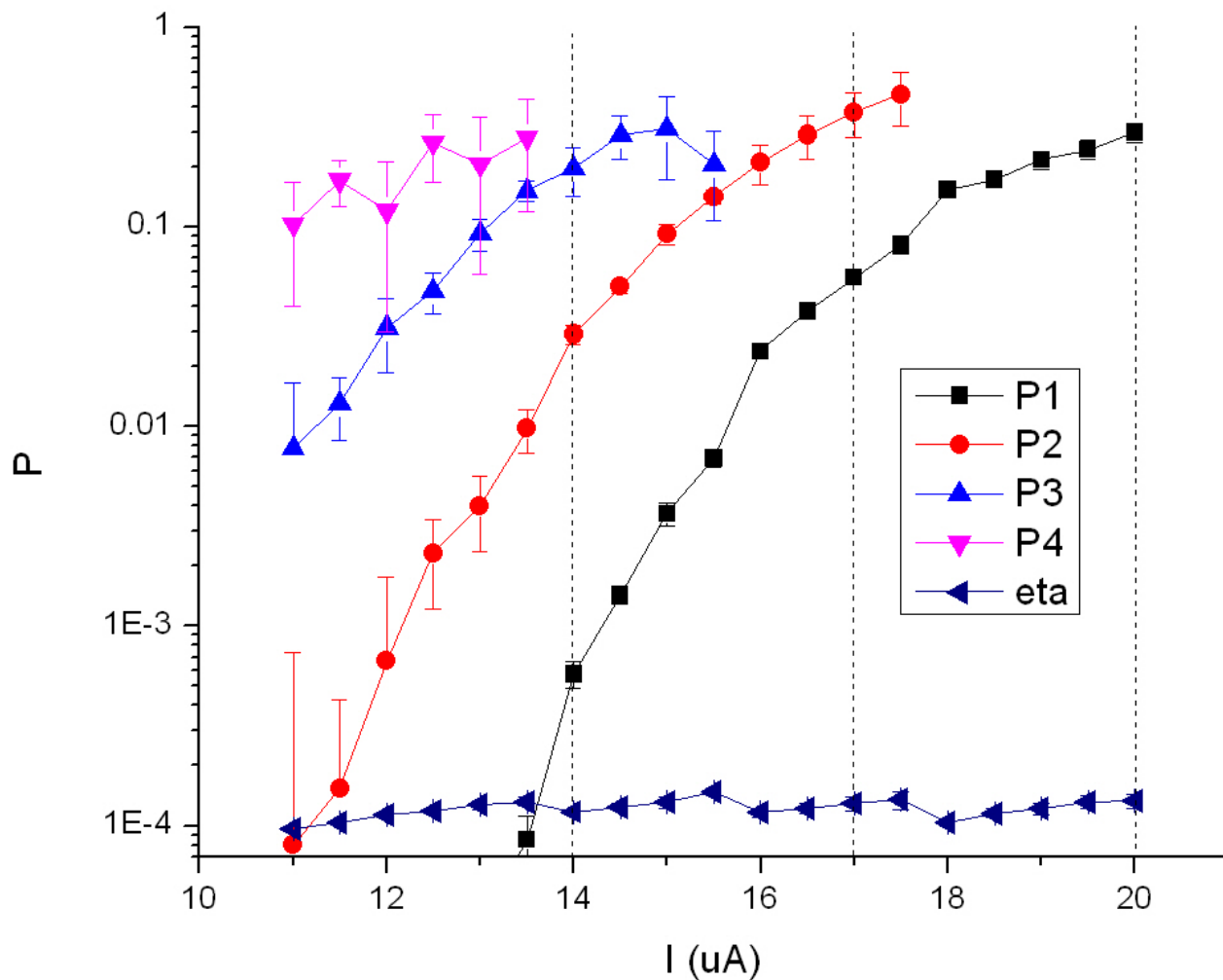
- 1, 2 photon processes present
- Usual method $R = (\eta N)^i$ restricted to $\eta N \ll 1$, lowest i



Now repeat this many times

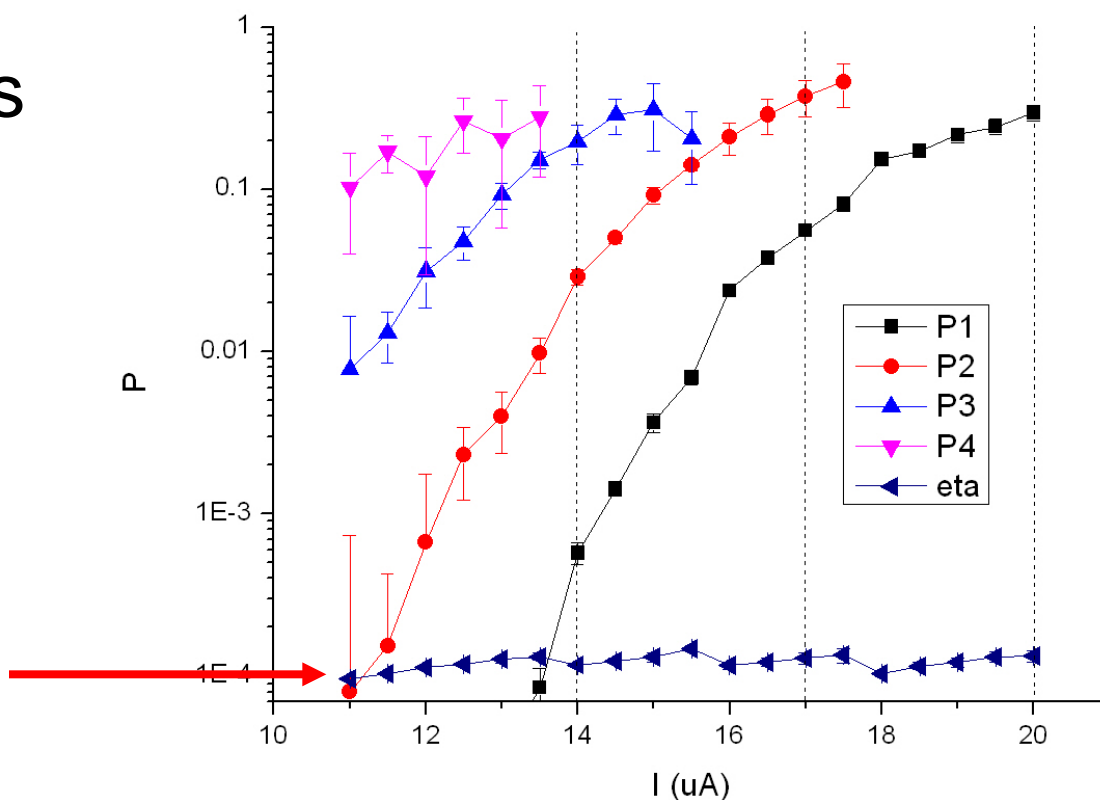
- For each current, vary the input power
- From the power dependence, reconstruct which photon processes are present

Result from tomography



Result from tomography

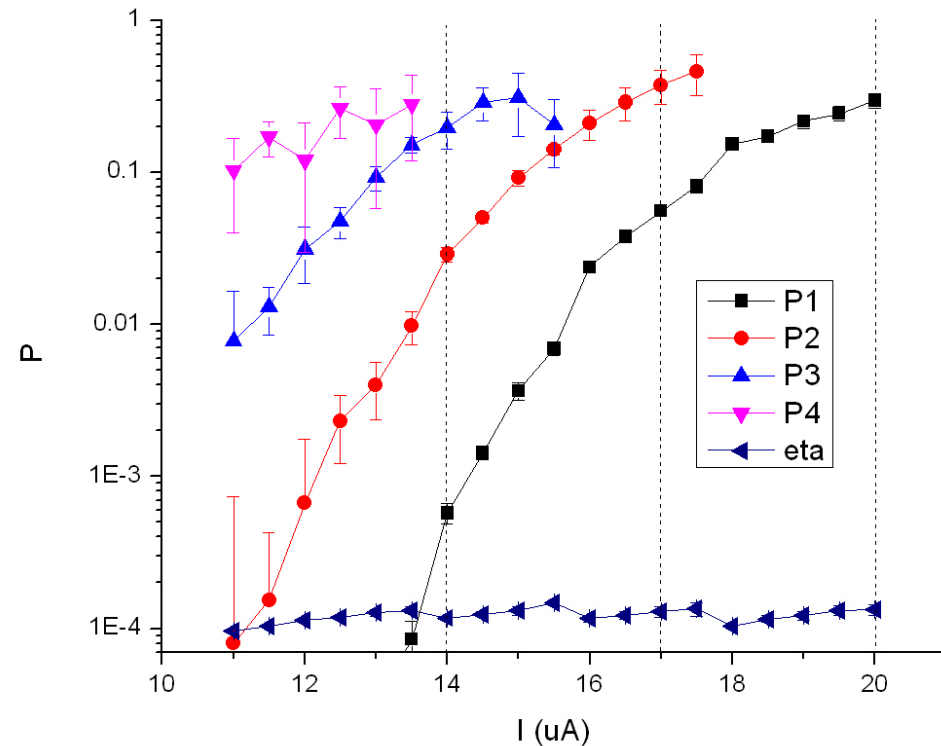
- We find: linear efficiency is independent of bias current
- This is a result, not an assumption (agnostic)
- Number consistent with overlap x absorption



Tomography code available, see also Renema et al, Optics Express 2012

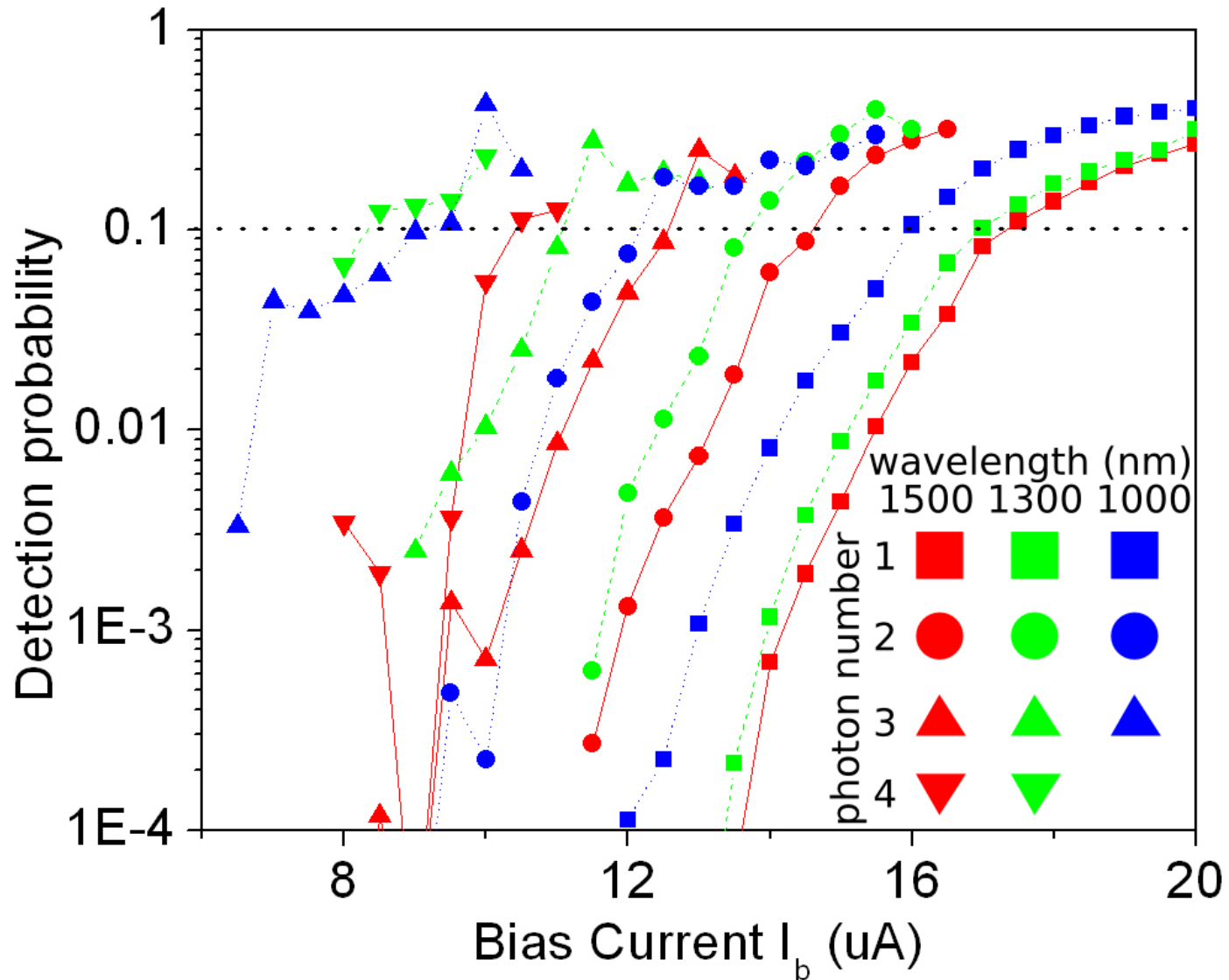
Result from tomography

- P_i internal response of the detector
- Independent of absorption,
independent of incoupling
- There is more going on than linear efficiency!

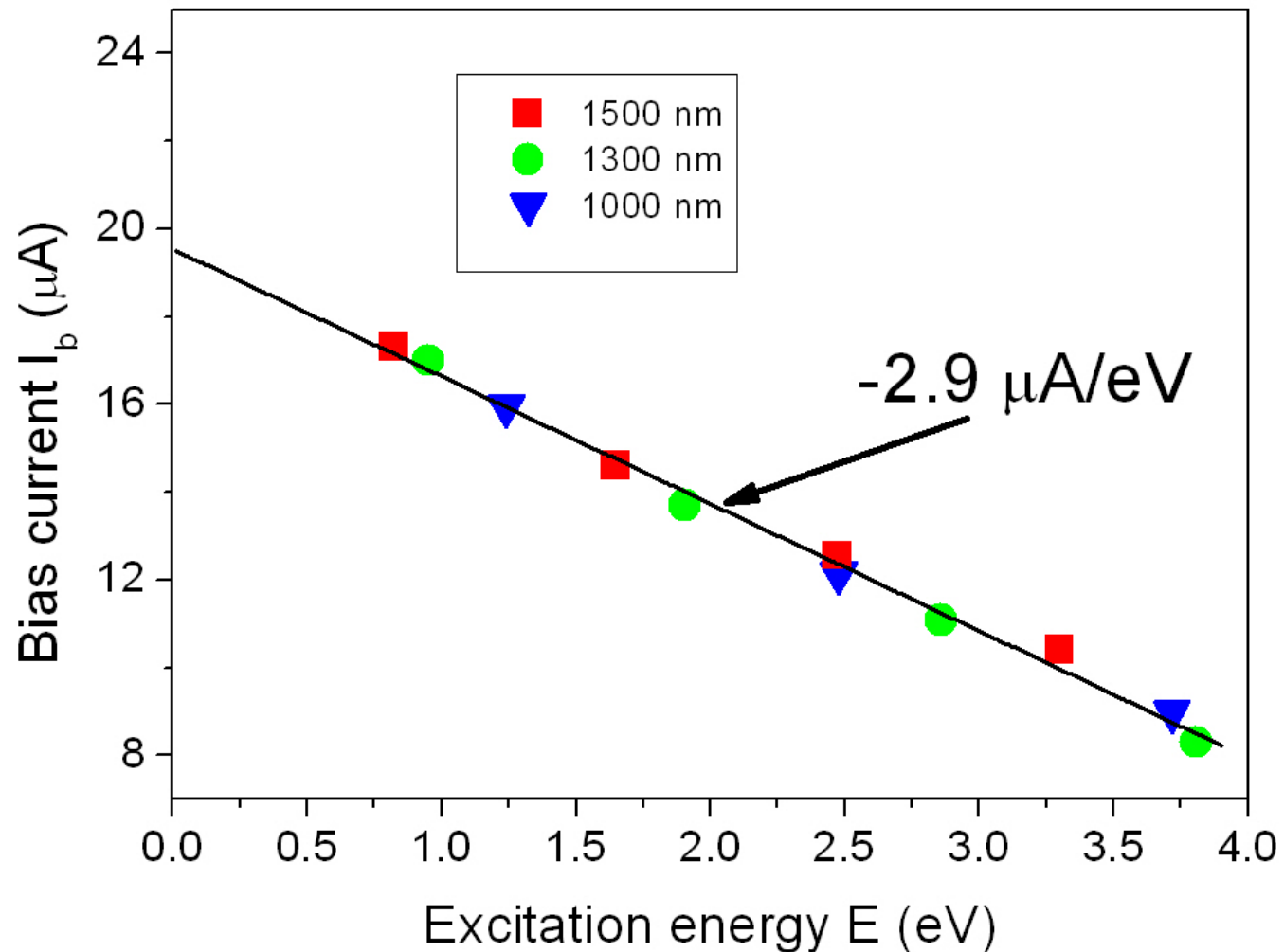


Tomography code available, see also Renema et al, Optics Express 2012

Multiple wavelengths



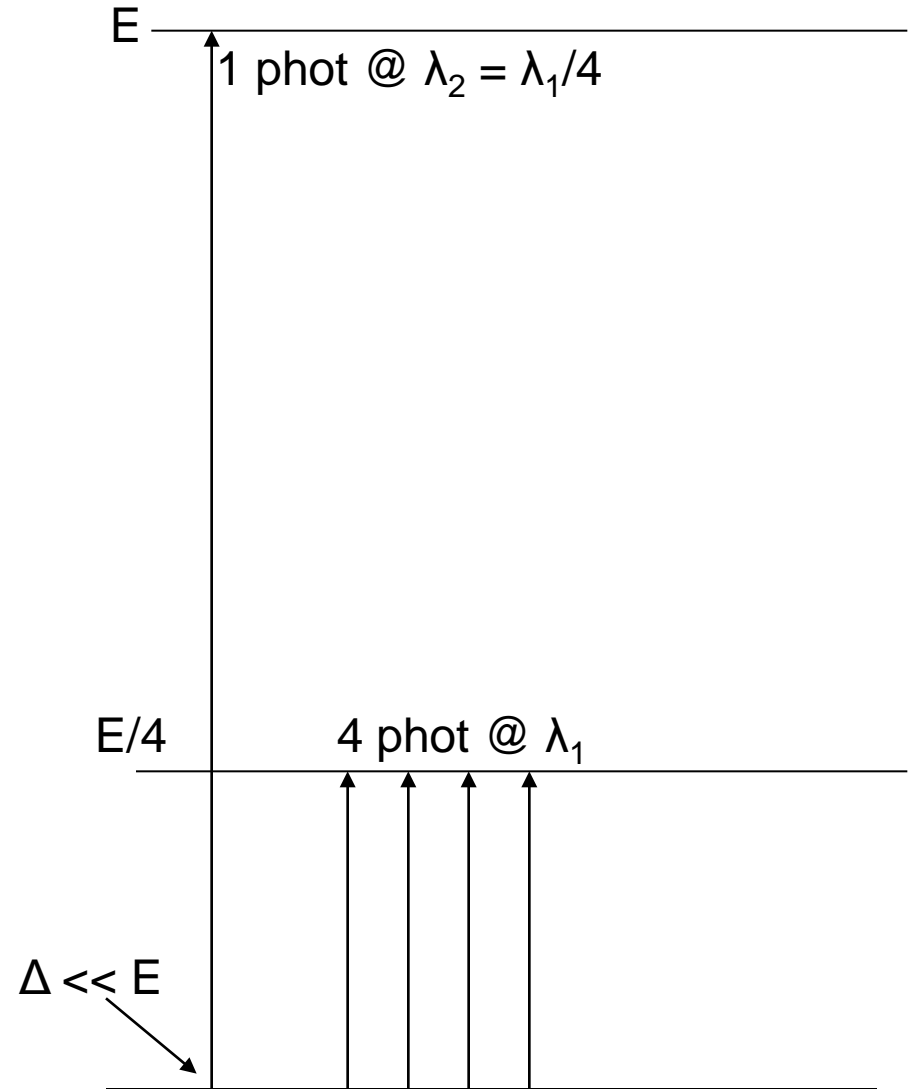
Interchange energy/current



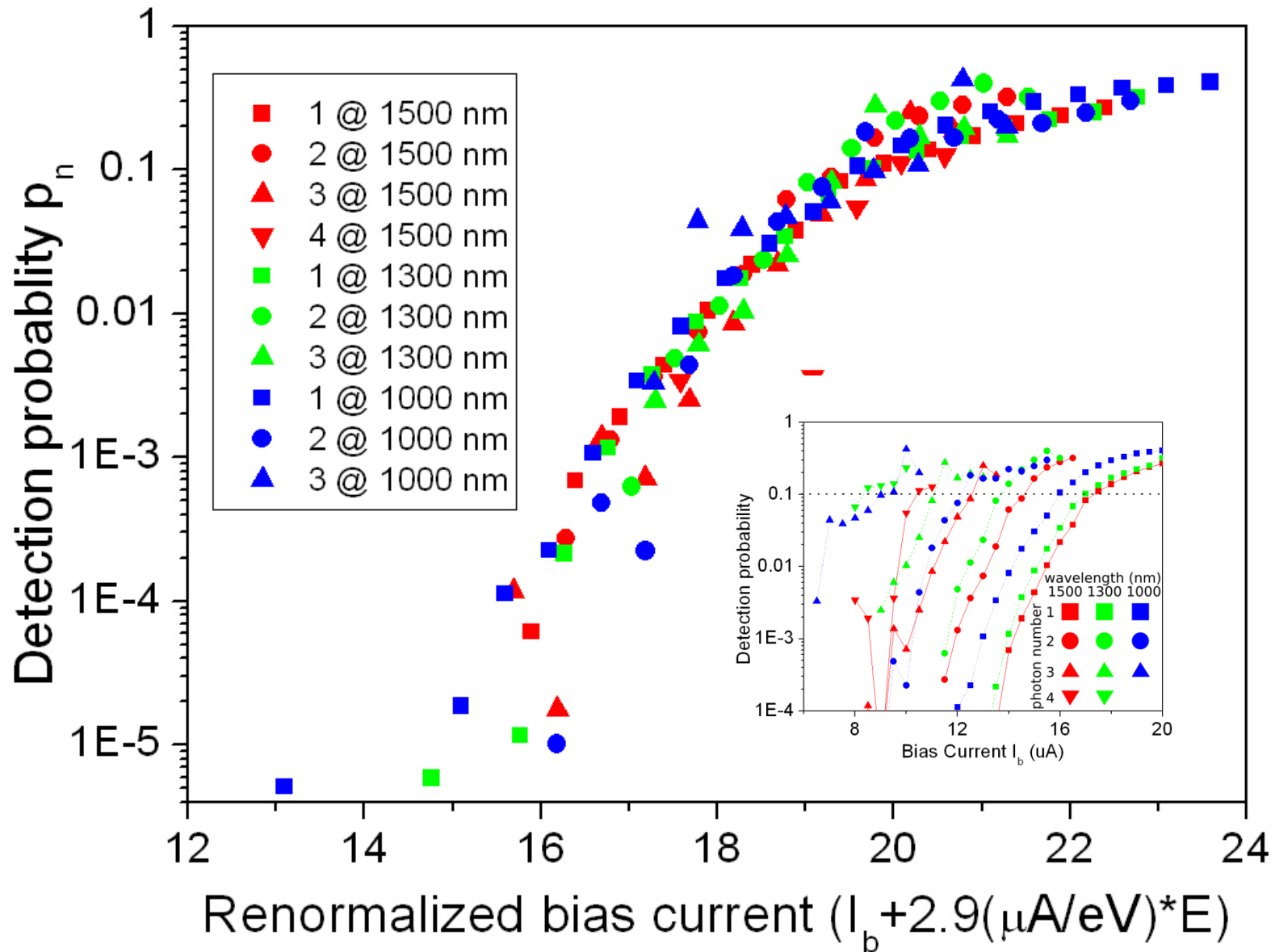
Renema *et al*, Phys Rev B **87**, 174526 (2013)

QP conversion is linear

- No dependence on initial number of photons, only energy
- Excitation insensitive to details of how you made it
- Detector is an energy detector

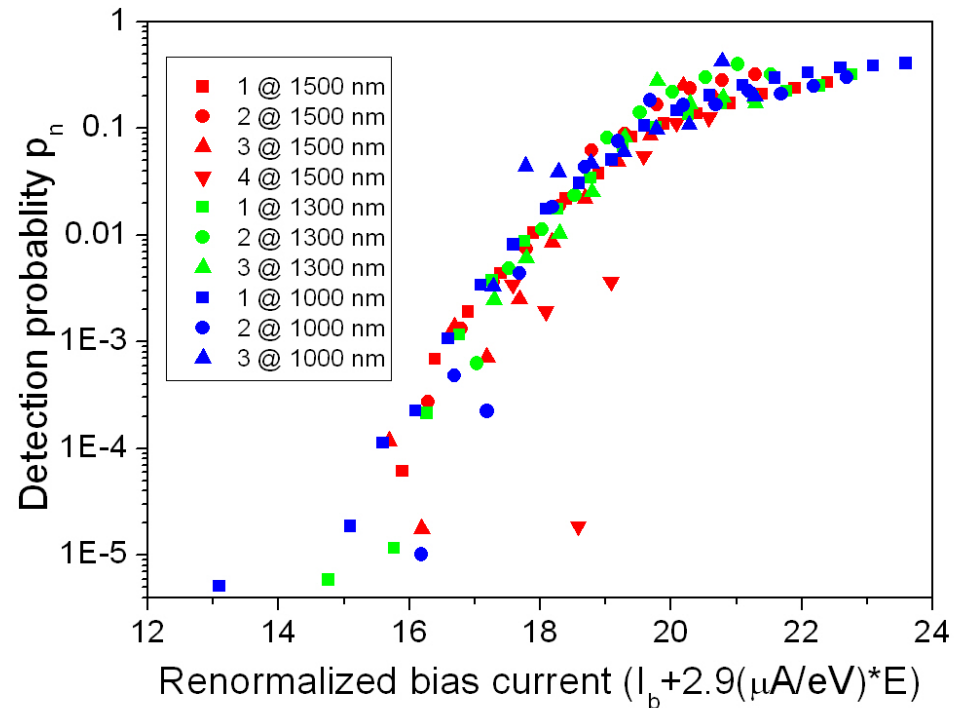


Universal curve



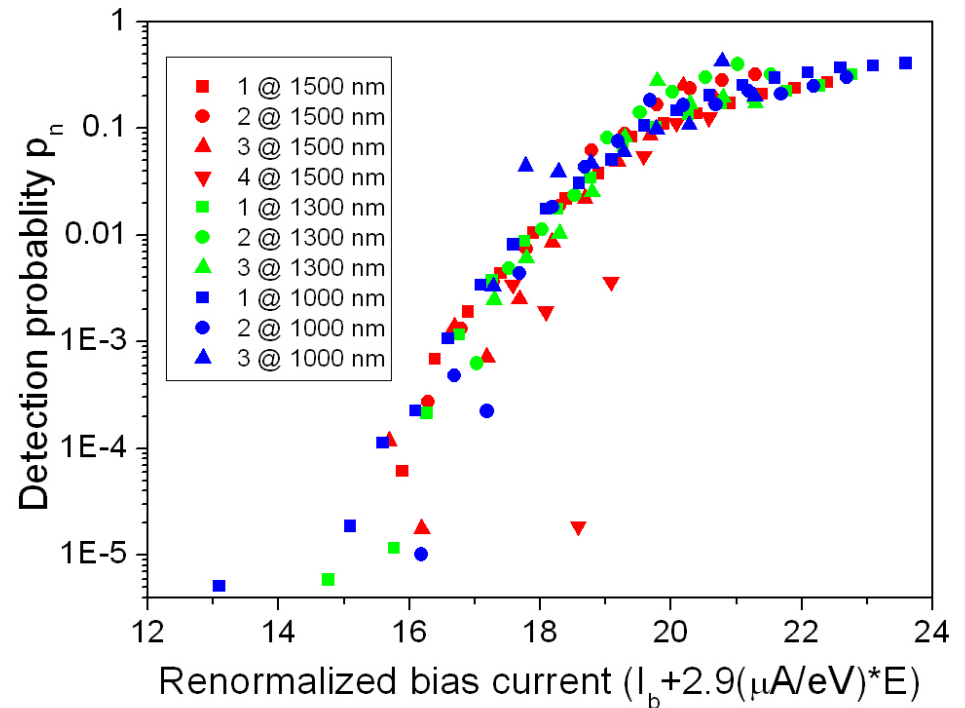
Universal curve

- $R(I, \lambda, N) = R(I + \gamma E)$ with $E = N \cdot hc / \lambda$
- Goes beyond measuring edge of the plateau region

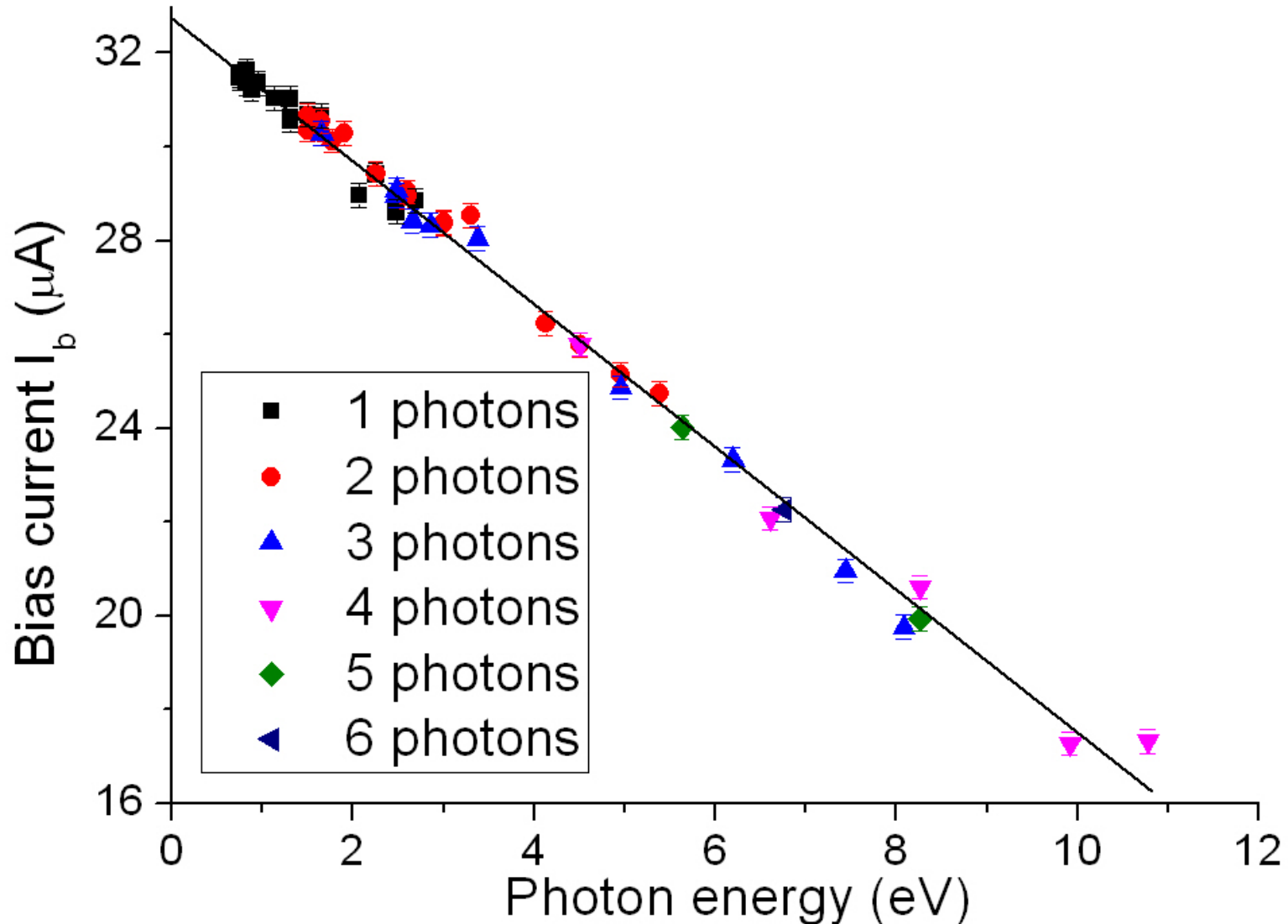


Universal curve

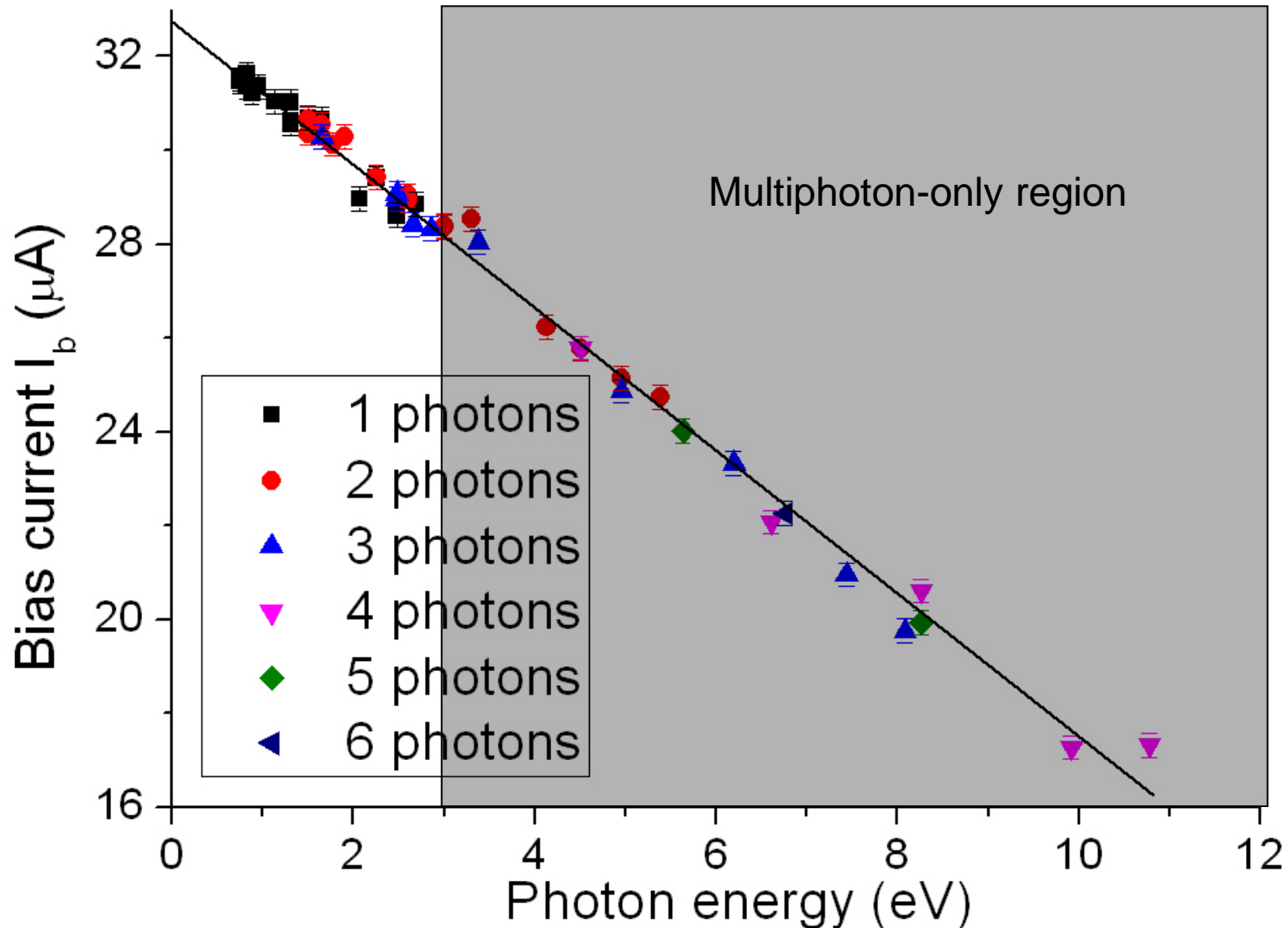
- Fluctuation-assisted scales in the same way as plateau response
- Challenge for theorists: explain this curve



Result on 220 nm detector

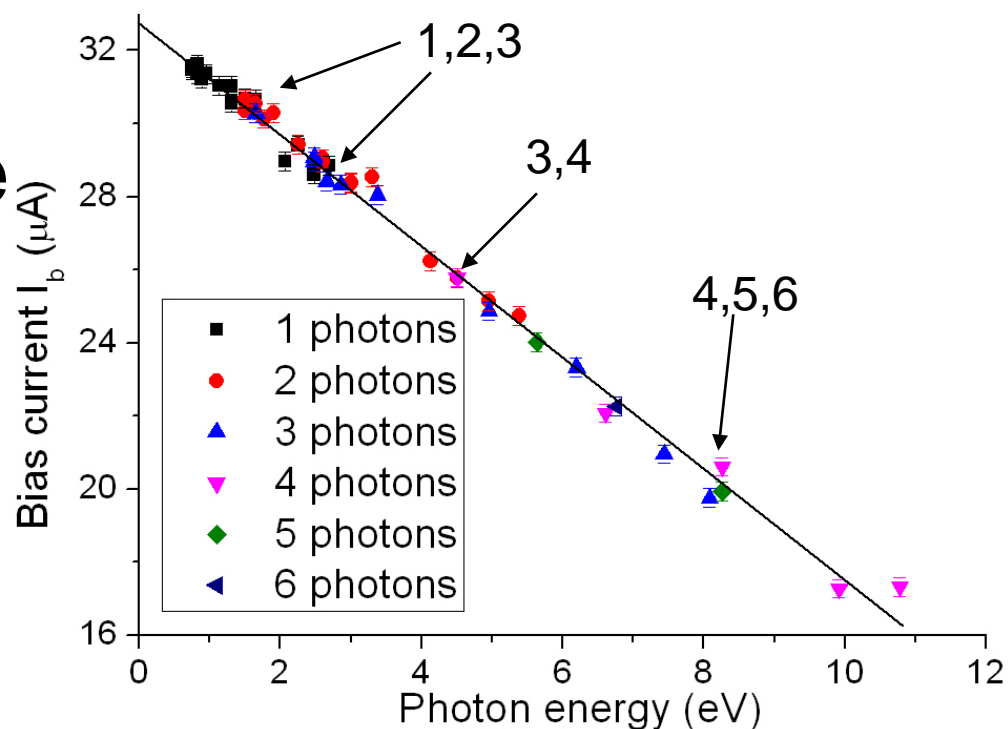


Result on 220 nm detector



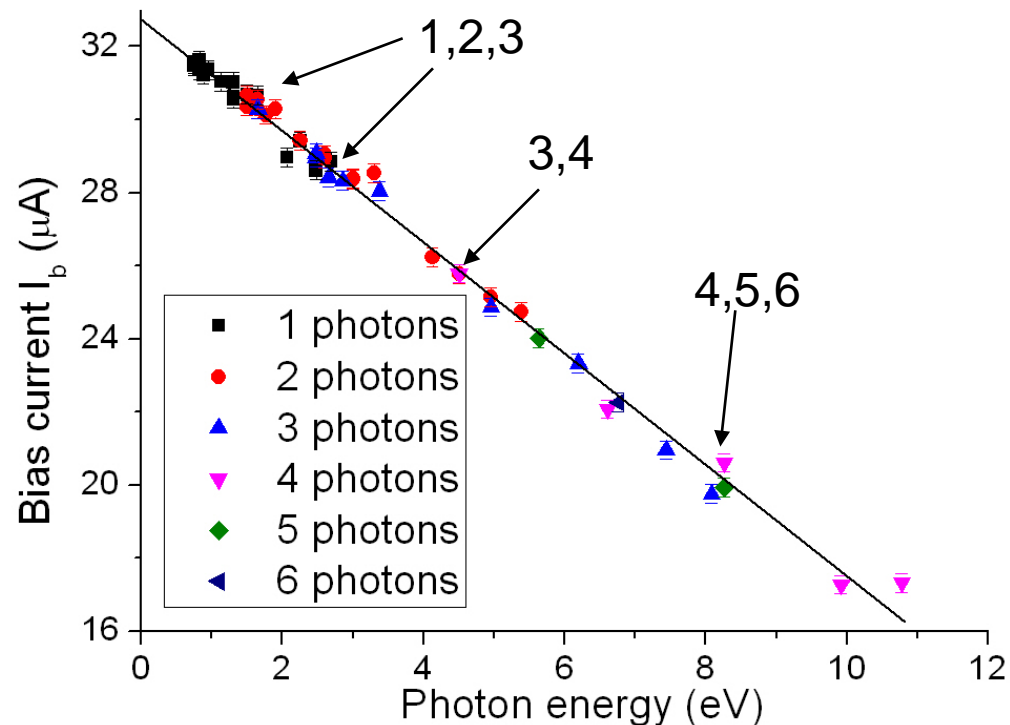
Extreme dynamic range

- 10.8 eV:
 $\lambda_{\text{eff}} = 115 \text{ nm}$
- X-UV: not available with open-beam setup



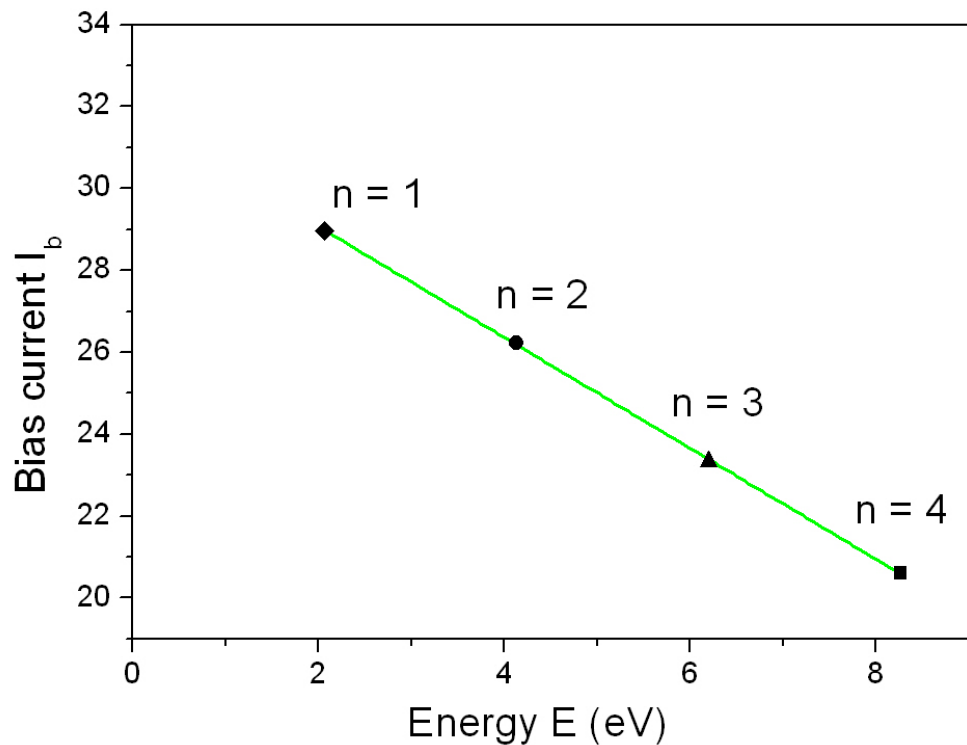
Extreme dynamic range

- Photon regimes overlap -> no stitching errors



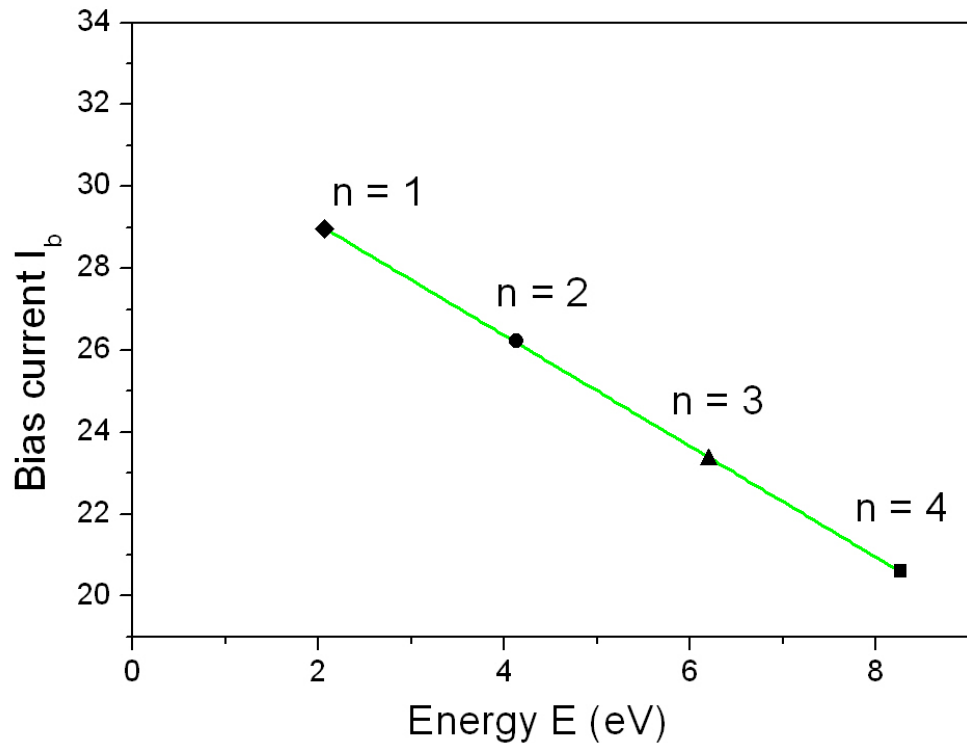
Single experiment

- Within single experiment 50 nA errors
- Allows for extremely accurate comparison with theory



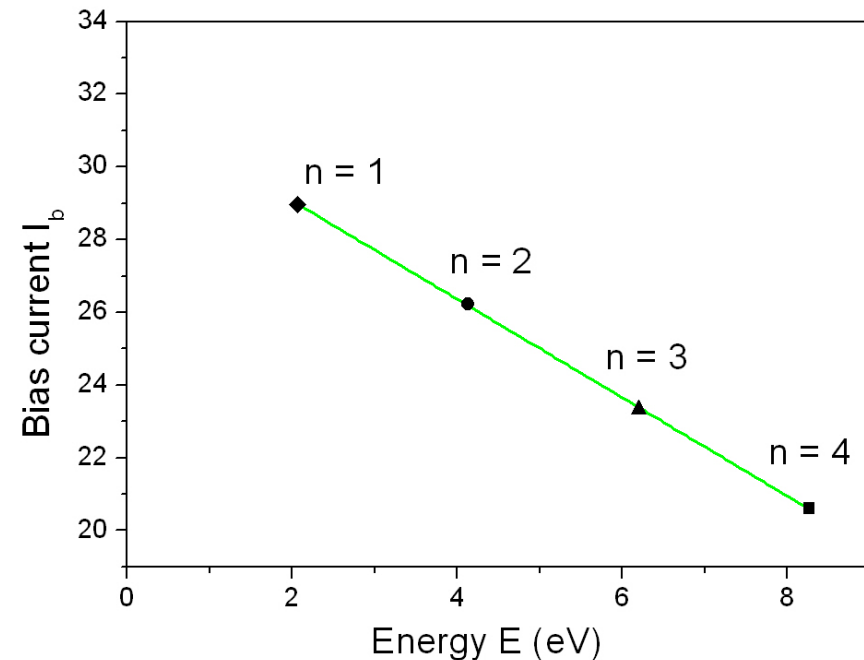
Comparison with theory

- We find: $I = I_0 + \gamma E$
- We find: $I_0 \neq I_c$
- $I_0 / I_c \sim 0.79 \pm 0.01$
- Very compatible with results of Engel *et al* arXiv: 1308:5781:
 $I_0 / I_c \sim 0.826$

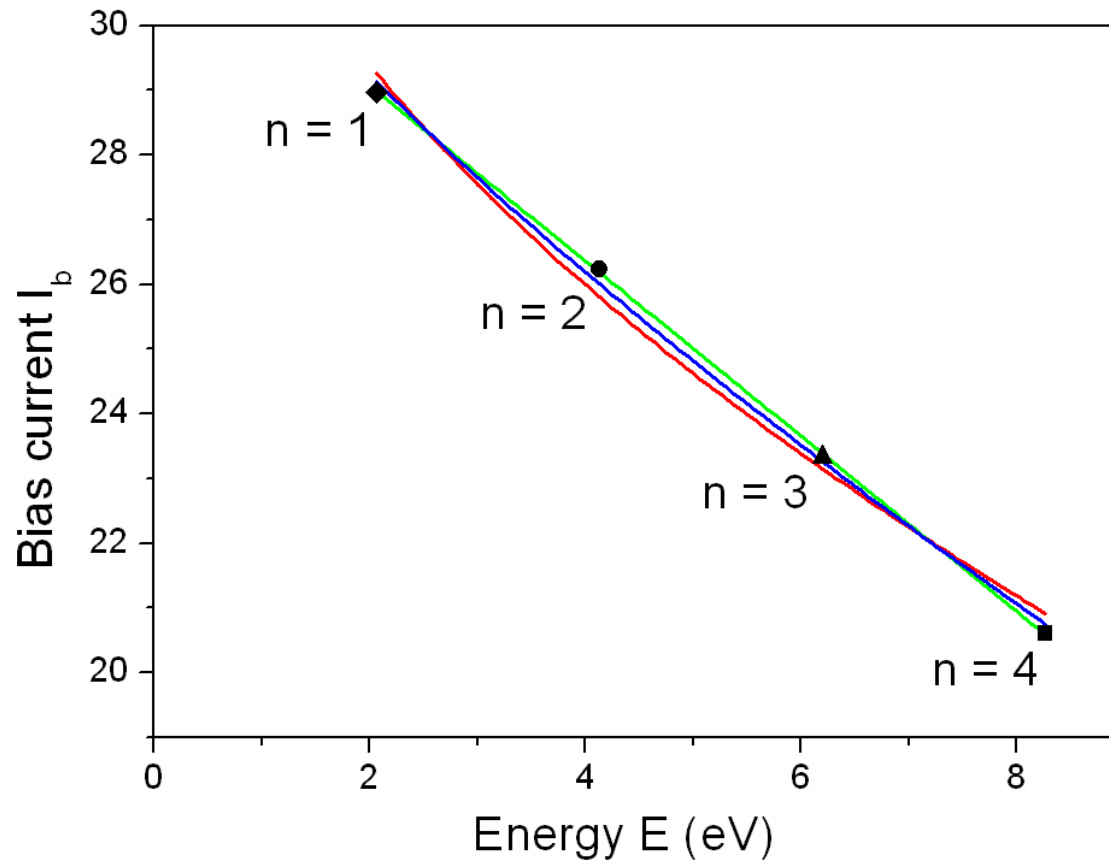


Comparison with theory

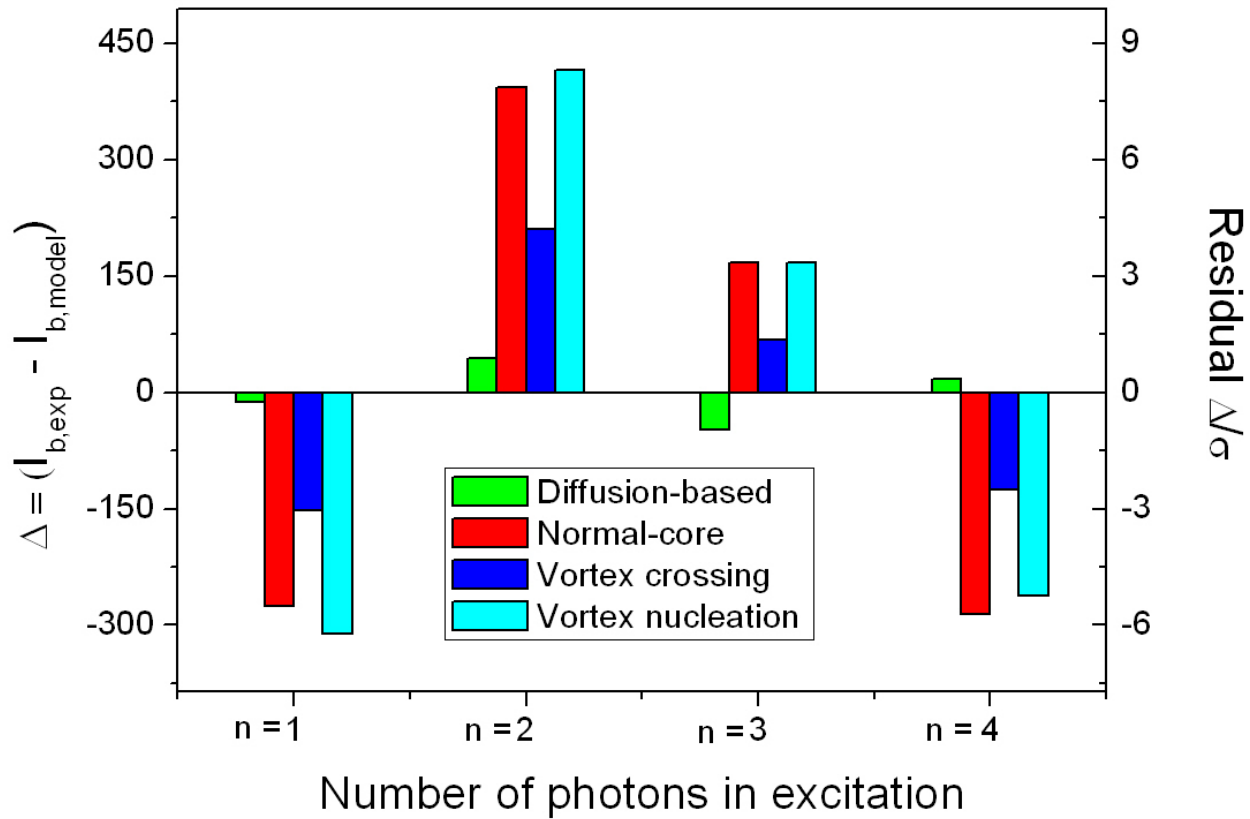
- Accuracy sufficient to rule out alternatives to linear behaviour
 - Normal-code HS model
 - Time-dependent GL model (Zotova *et al*)
 - Bulaevskii model before Engel's corrections



Comparison to theory



Comparison to theory





Conclusions

- There is more in the detector than linear efficiency
- Quantum tomography studies inner workings of detector
 - Universal response curve
 - Linear behavior up to X-UV

JR *et al*, OE **20**, (2012)
JR *et al*, PRA **79**, (2013)
JR *et al*, PRB **87**, (2013)

