



Quantum sensing with superconducting flux qubits

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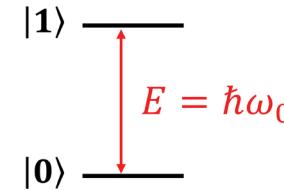
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Quantum Sensing

1. Use of two-level nature

Energy levels are sensitive to external fields

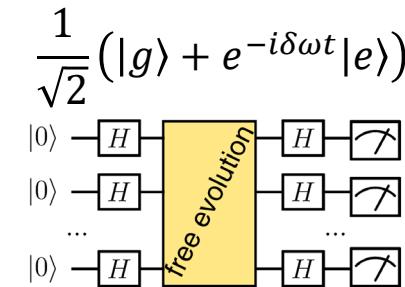
- Sensitivity $\propto (\# \text{ of qubits})^{1/2}$



2. Use of quantum coherence

Phase accumulation during free evolution of superposition states

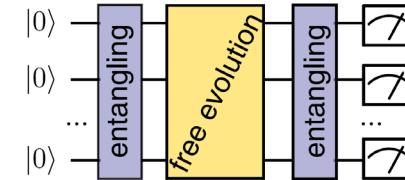
- Filter functions can be applied. (Frequency selectivity, DC or AC)
- Sensitivity $\propto (\# \text{ of qubits})^{1/2}$



3. Use of quantum entanglement

Phase accumulation during free evolution of entangled states

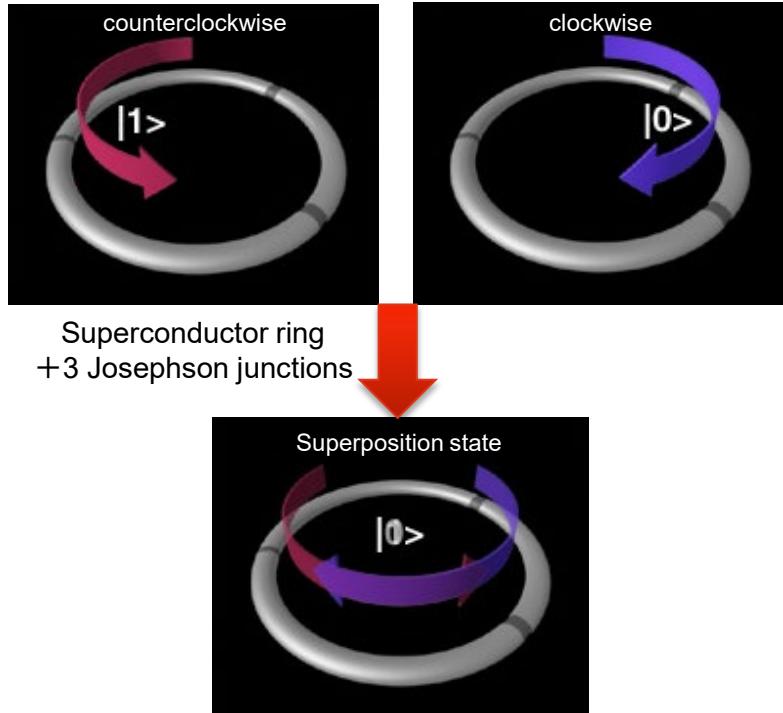
- Sensitivity $\propto (\# \text{ of qubits})^1$ (Heisenberg limit)



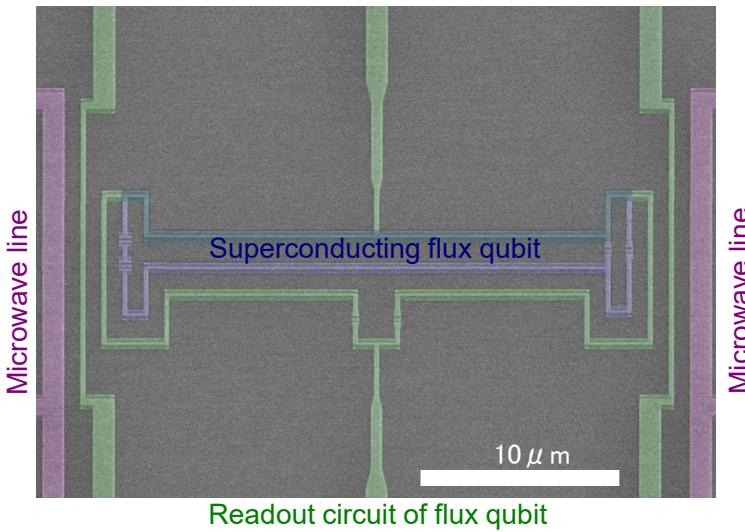
Superconducting flux qubit



Circulating current in superconducting flux qubit



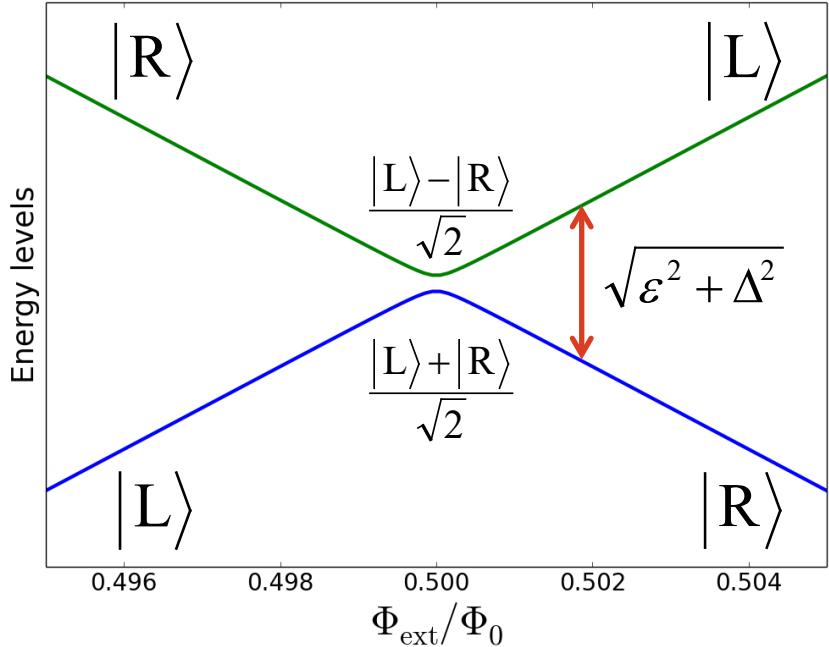
SEM picture of superconducting flux qubit



Mooij et al., Science 285, 1036 (1999)

Interaction between the circulating current and magnetic field is large.
→ Sensitive magnetic field detection is possible.

Superconducting flux qubit



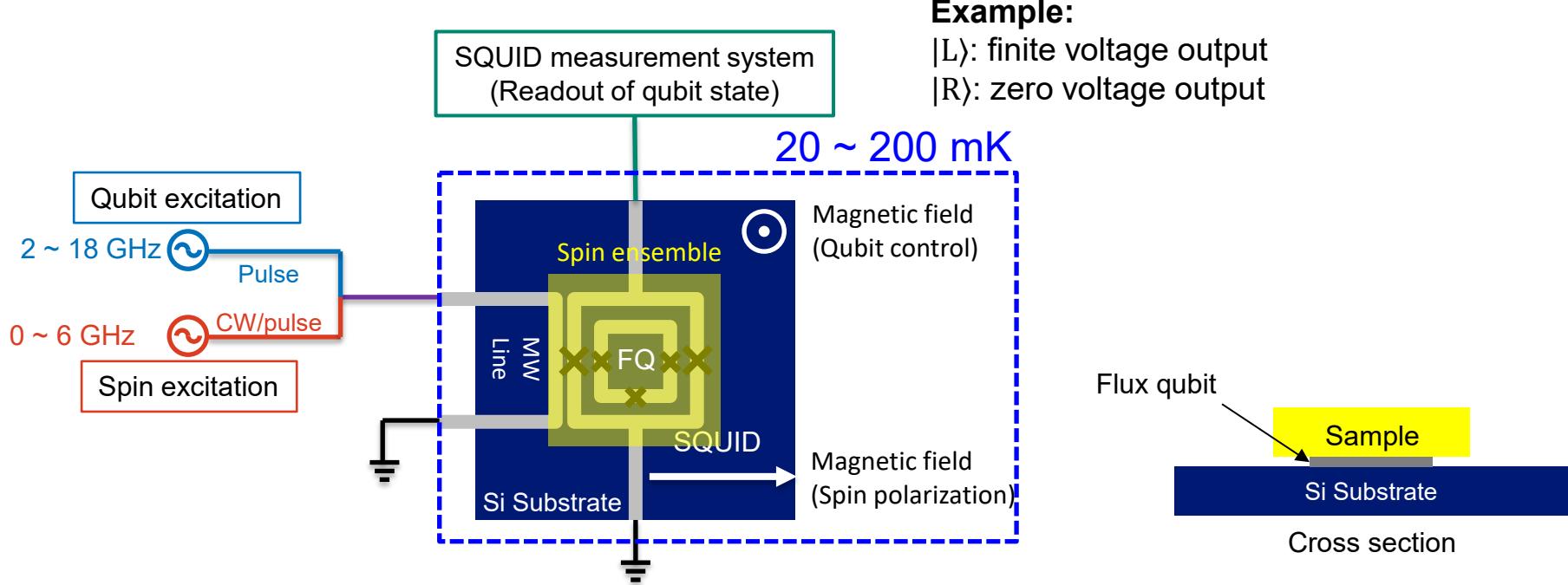
$$\begin{aligned}\hat{H} &= \frac{1}{2}(\varepsilon \hat{\sigma}_z + \Delta \hat{\sigma}_x) \\ &= \frac{\sqrt{\varepsilon^2 + \Delta^2}}{2} \hat{\sigma}'_z\end{aligned}$$

Magnetic field dependence

$$\left\{ \begin{array}{l} \varepsilon = 2I_p(\Phi_{\text{ext}} - \Phi_0/2) \\ I_p : \text{Persistent current (const.)} \\ \Delta : \text{Tunnel energy (const.)} \\ \hat{\sigma}_z, \hat{\sigma}_x : \text{Pauli matrix} \end{array} \right.$$

- The energy eigenstate is liner combination of $|L\rangle$ and $|R\rangle$.
- Transition frequency has dependence on the magnetic flux
→ Sensitive to magnetic field.
- Large persistent current I_p is desired. ($I_p \sim 300$ nA in design)

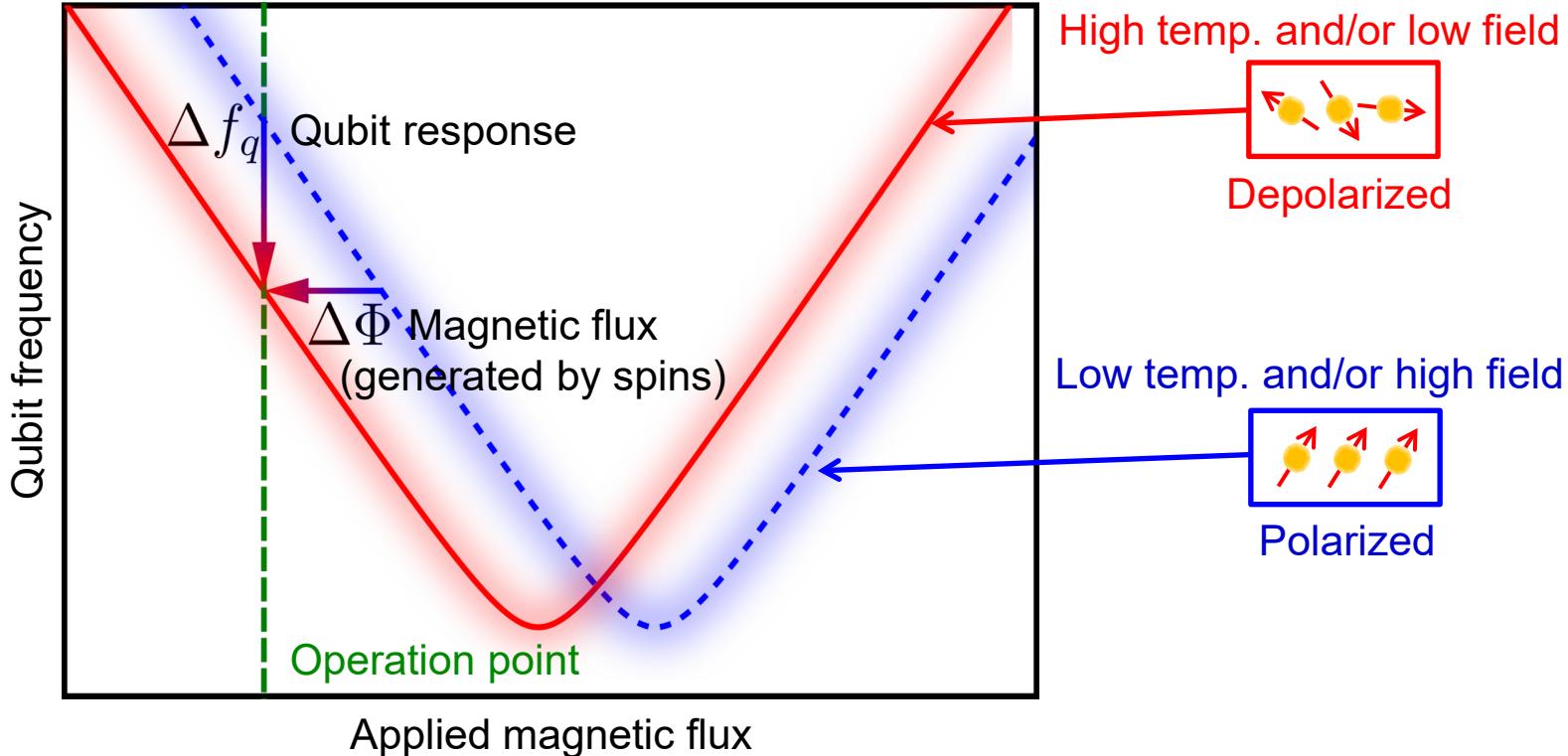
Spin detection using a flux qubit



In-plane field and temperature dependence → Magnetometry

In-plane field and frequency dependence → Electron spin resonance

Spin detection using a flux qubit

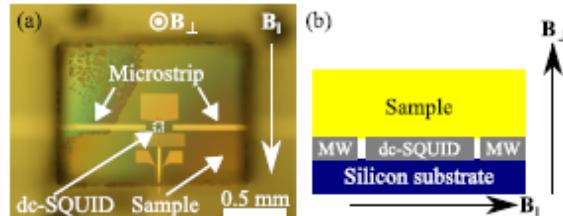


Spin polarization is converted to qubit frequency

Electron spin detection using SC magnetometers

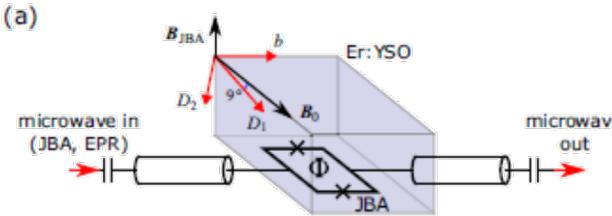


SQUID



$10^6 \text{ spins}/\sqrt{\text{Hz}}$

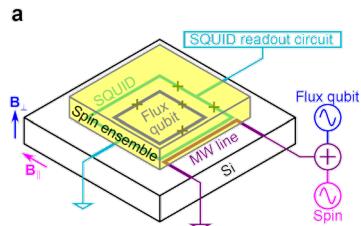
Josephson bifurcation amplifier (JBA)



Fast readout $\rightarrow 15,000 \text{ spins}/\sqrt{\text{Hz}}$

Toida et al., 2016 APL

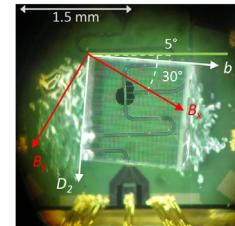
Flux qubit (SQUID readout)



Sensitive magnetometer $\rightarrow 400 \text{ spins}/\sqrt{\text{Hz}}$

Toida et al., 2019 Commun. Phys.

Flux qubit (JBA readout)

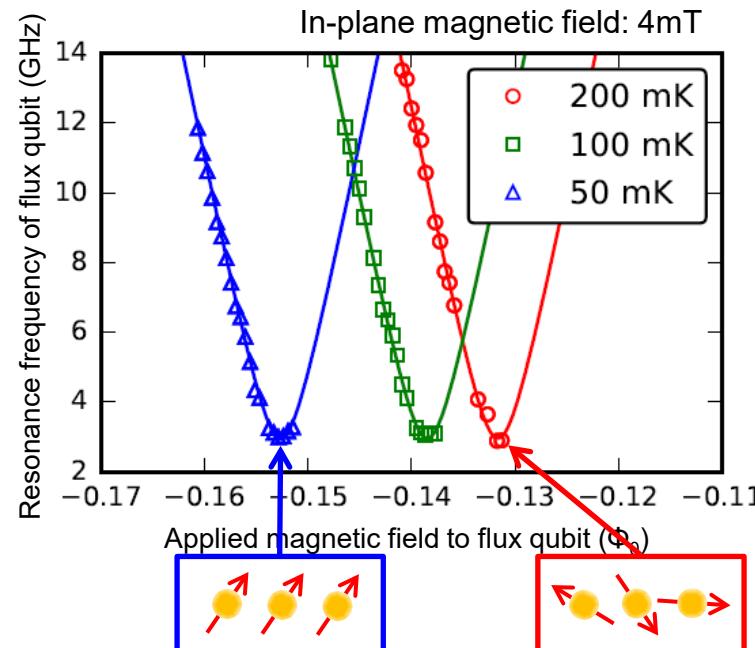
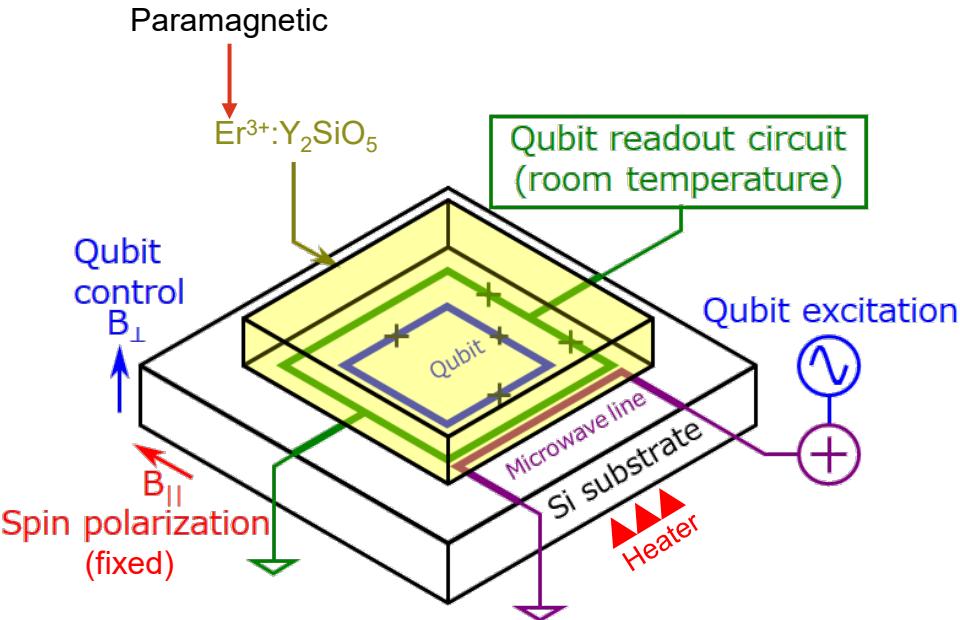


20 spins/ $\sqrt{\text{Hz}}$

Budoyo et al., 2020 APL

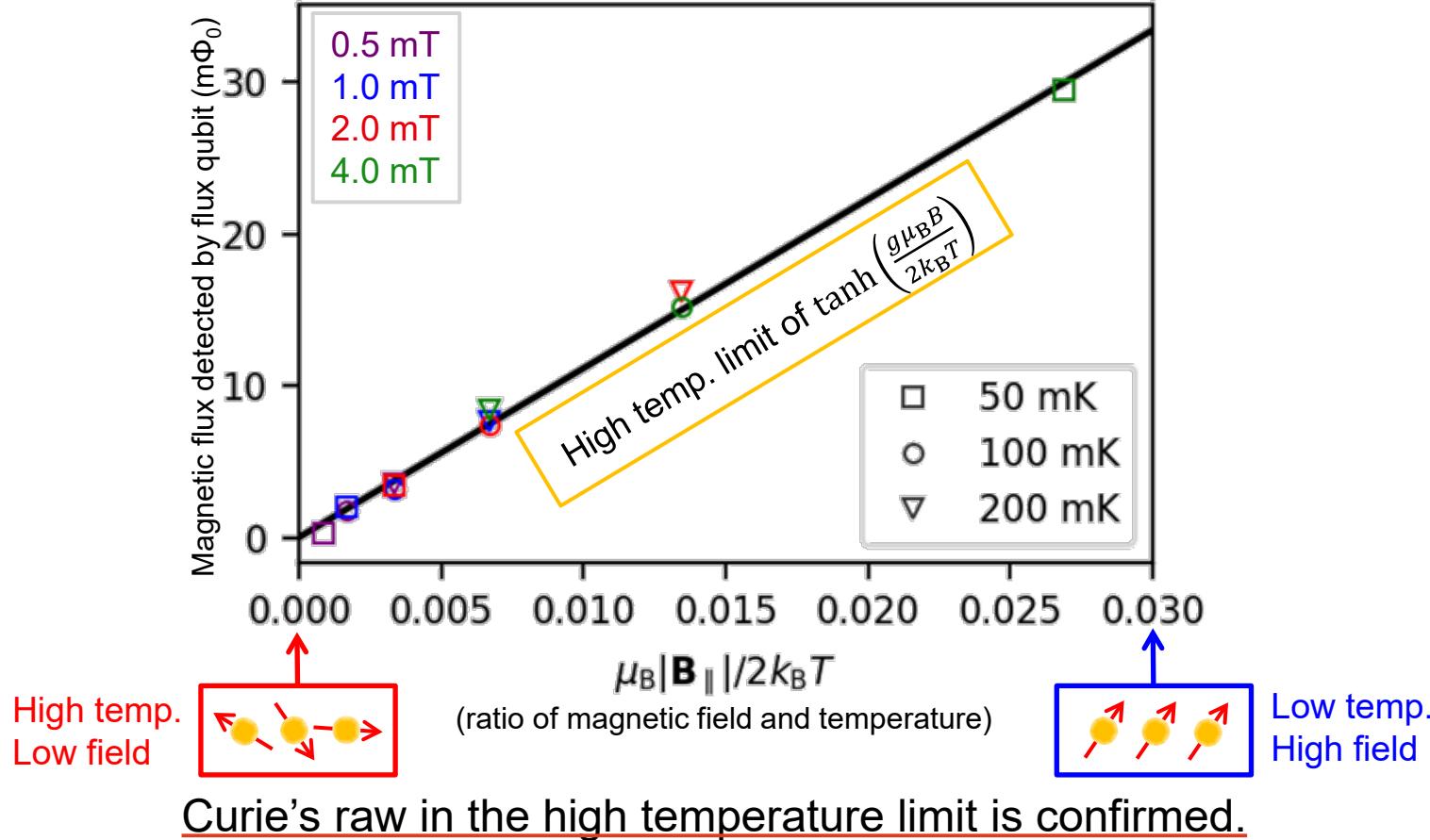
Sensitive spin detection is realized using SC spin detectors. (Now 12 spins/ $\sqrt{\text{Hz}}$)

Spin detection of $\text{Er}^{3+}:\text{Y}_2\text{SiO}_5$



Magnetization from electron spins is detected by a flux qubit

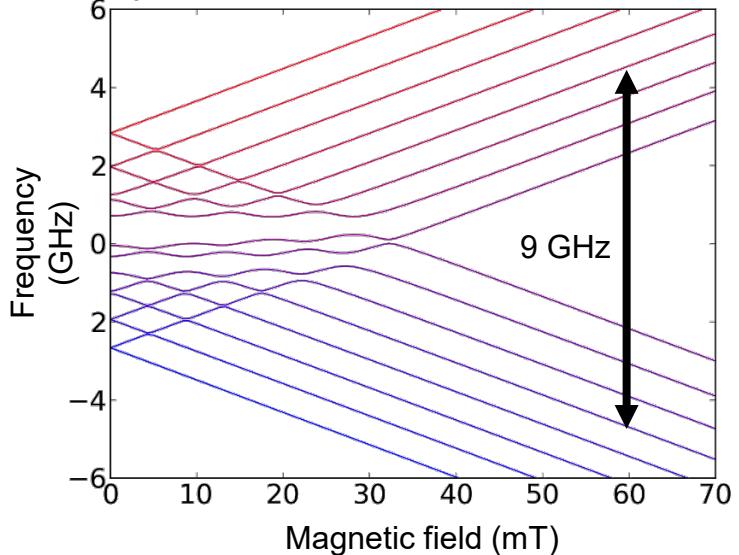
Spin detection of $\text{Er}^{3+}:\text{Y}_2\text{SiO}_5$



Application to material parameter estimation



$\text{Er}^{3+}:\text{Y}_2\text{SiO}_5$, nuclear spin 7/2 (hyperfine + quadrupole)

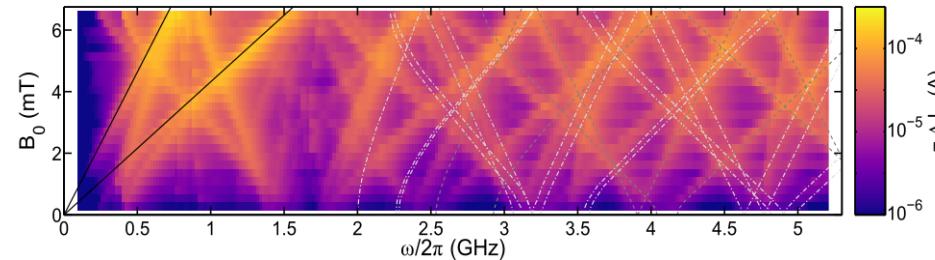


Standard ESR spectrometer
→ 0 – 0.3 T, X band ~9 GHz

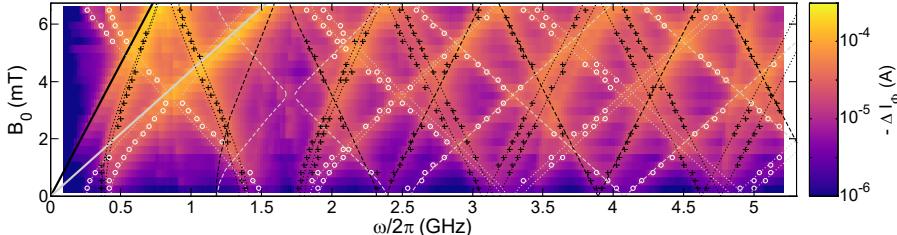
Effect of hyperfine and quadrupole interaction is small in the high field region

→ parameter estimation is not trivial

Parameters from X band ESR spectrum



Parameters from our ESR spectrum

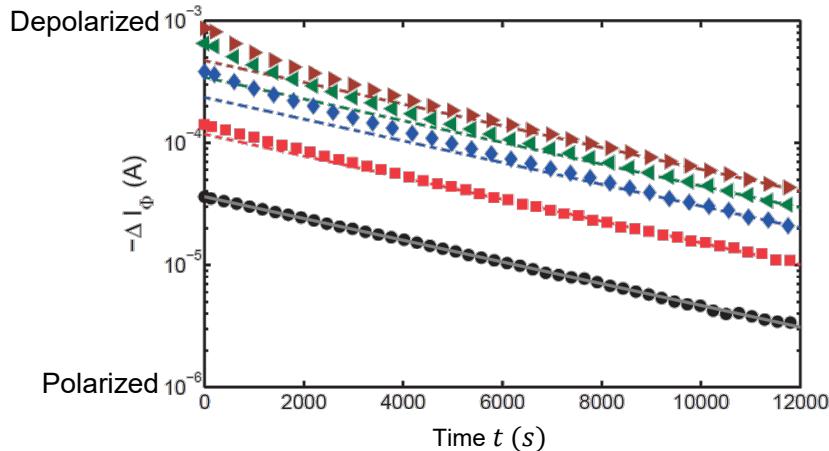
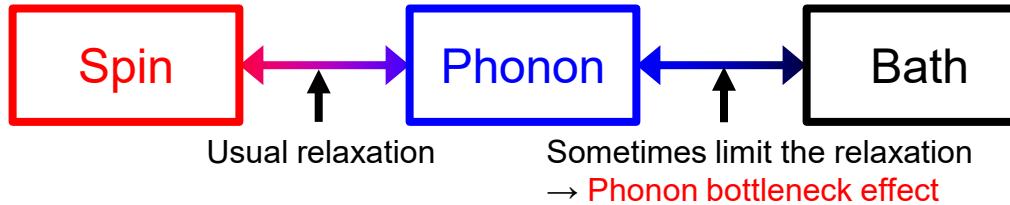


ESR spectrometer using magnetometer
→ 0 - 6.5 mT, 0 - 5.2 GHz

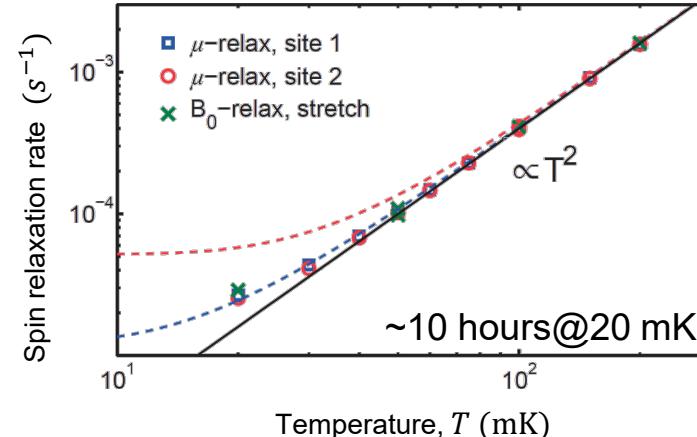
Effect of hyperfine and quadrupole interaction is large in the small field region

→ suitable for parameter estimation

Measurement of spin relaxation time



→ non-exponential decay curve

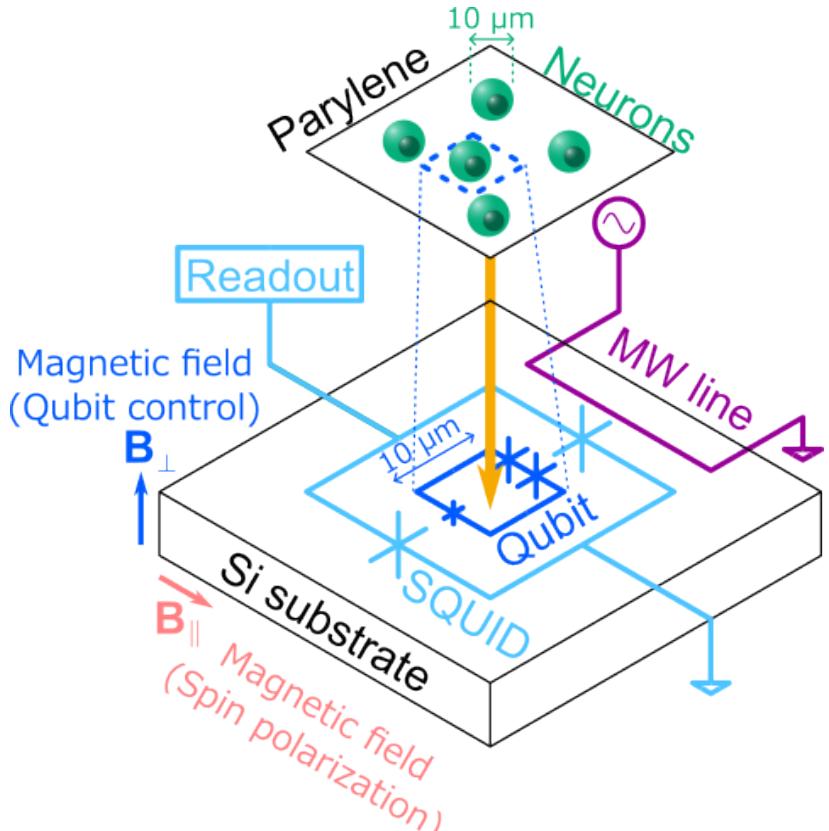


→ spin relaxation rate $\propto T^2$

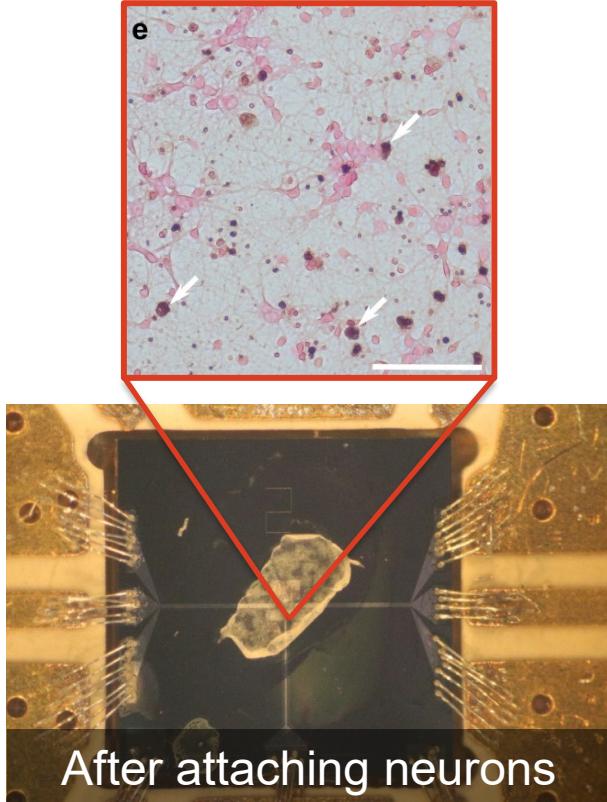
Phonon bottleneck effect is suggested.

(Our ESR is suitable to observe the effect because no energy is transferred to measurement system)

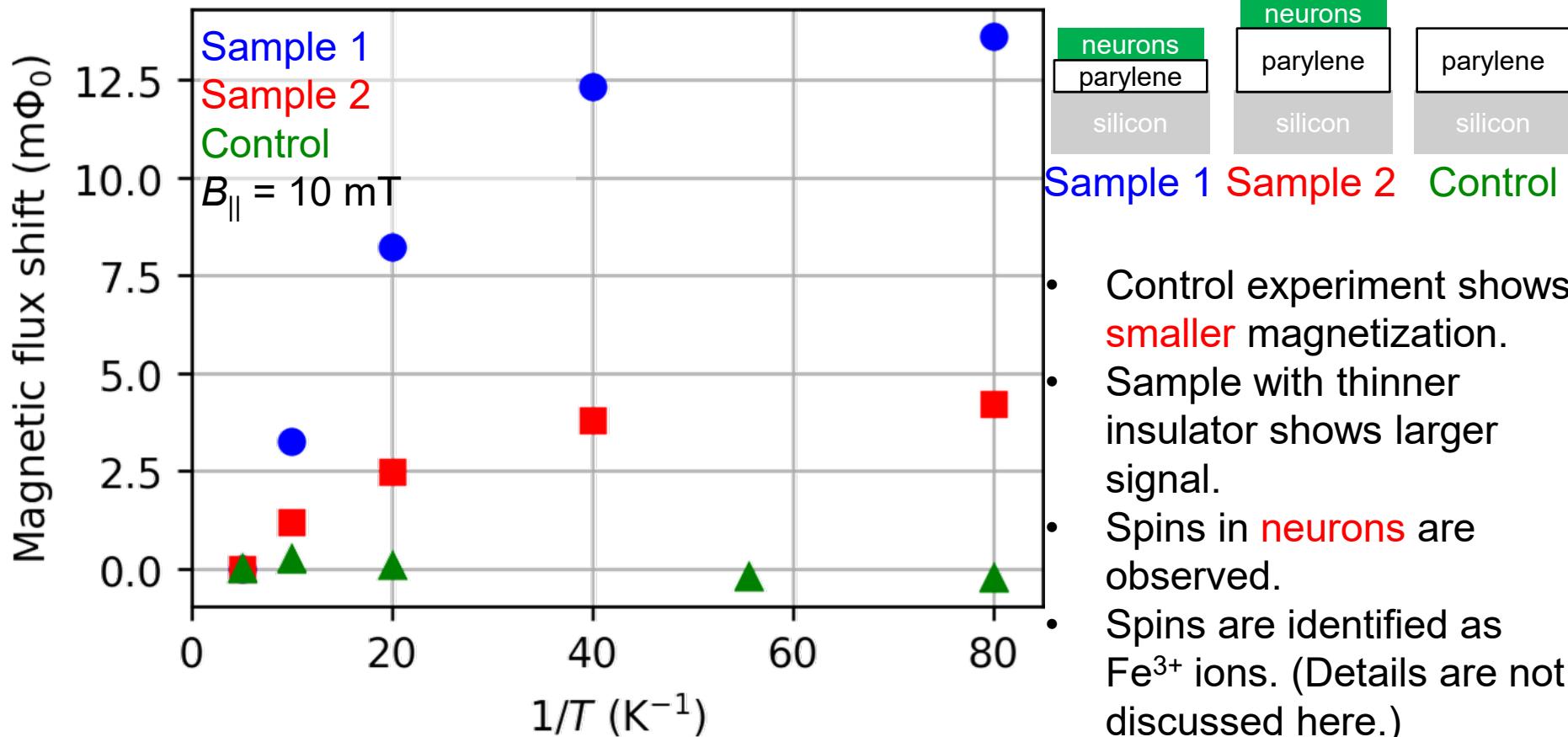
Magnetometry of neurons



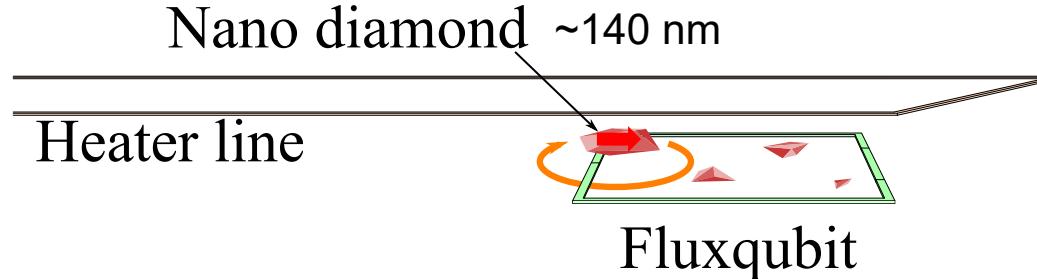
Magnetization is measured as a function of temperature.



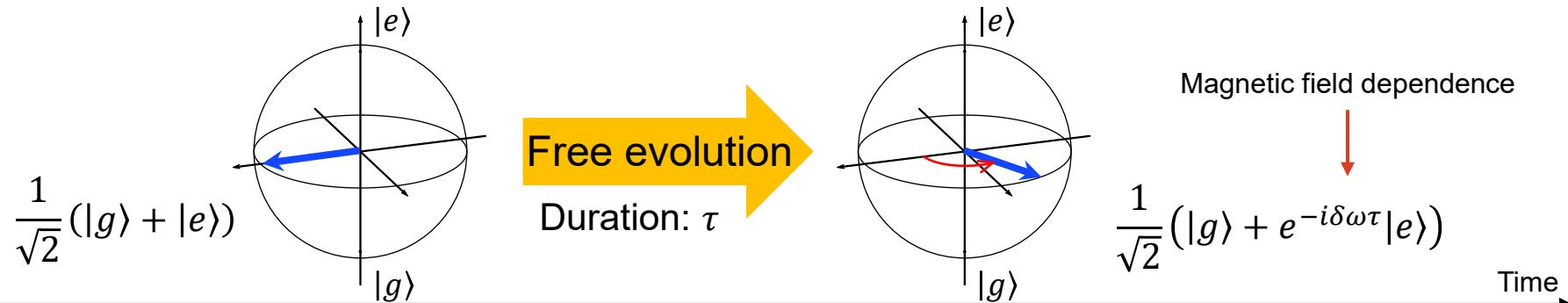
Magnetometry of neurons



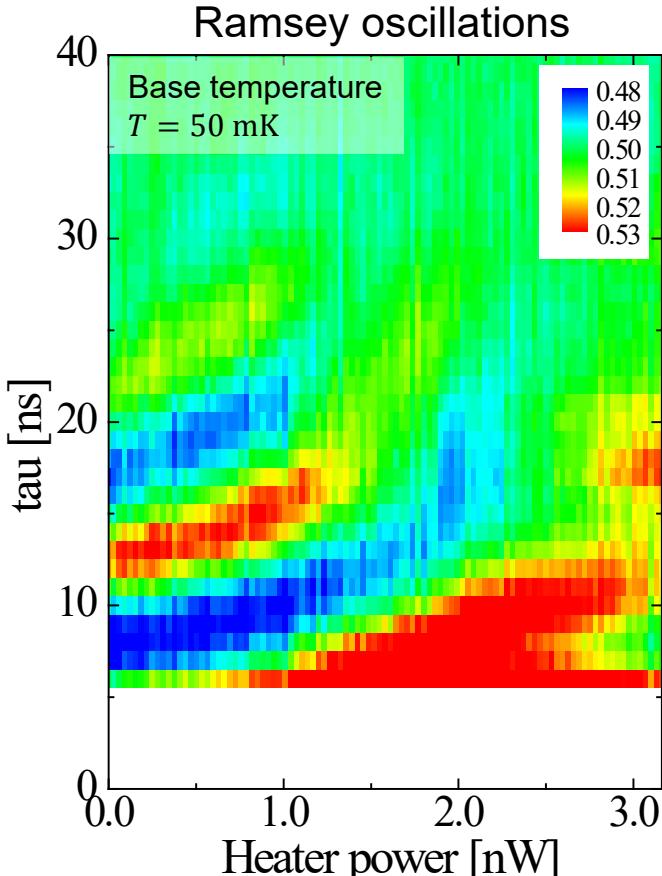
Thermometry using Ramsey oscillations



1. The temperature of nano diamond is controlled by heater power.
2. The magnetization of nano diamond changes as a function of the temperature.
3. The magnetic field (magnetization) changes Ramsey frequency of the qubit.

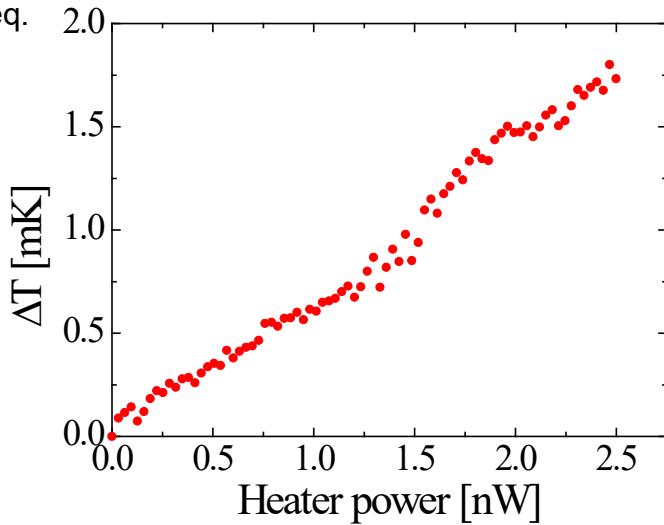


Thermometry using Ramsey oscillations



Microwave freq.
Ramsey frequency:
 $\delta\omega = \sqrt{\Delta^2 + \varepsilon(B)^2} - \omega_0$
Calibration constants
Temperature difference

Detailed description: Annotations explaining the process. A red arrow points from the microwave frequency text to the Ramsey frequency equation. Another red arrow points from the calibration constants text to the temperature difference text.



Sensitivity: $1.3 \mu\text{K}/\sqrt{\text{Hz}}$ @ 9.1 mK

Estimation of the sensitivity of FQ ESR

Noise in qubit measurement
(e.g., Variation in switching probability)

$$\sigma P_{\text{SW}}$$

$$\times \frac{\partial f_q}{\partial P_{\text{SW}}} \times \frac{\partial \Phi}{\partial f_q} \times \frac{\partial N}{\partial \Phi}$$

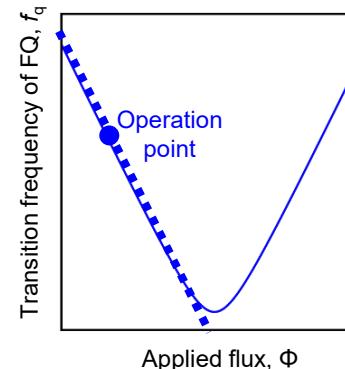
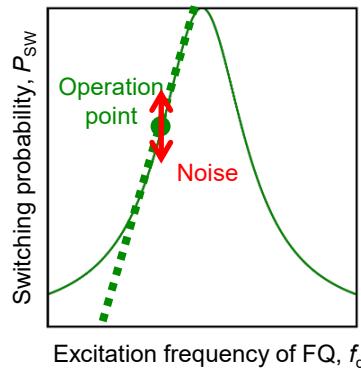
Linewidth of FQ

(magnetic flux generated by single spin) $^{-1}$

Narrow linewidth / small slope



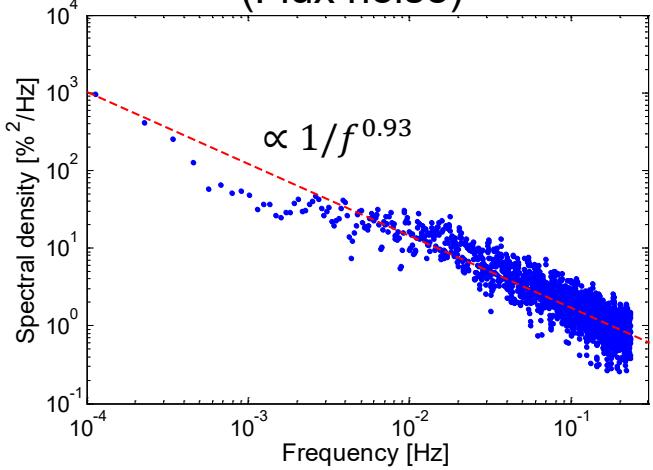
Wide linewidth / large slope



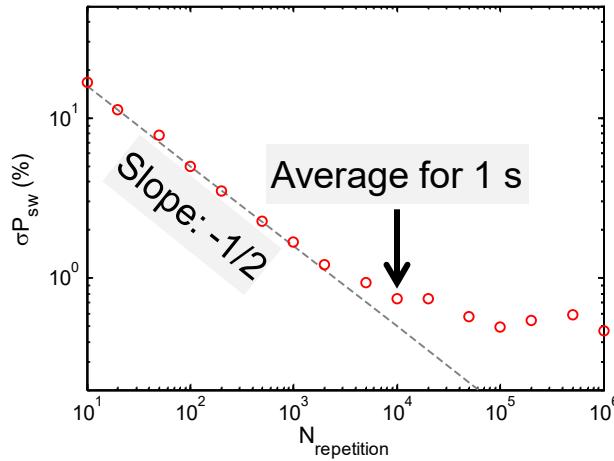
Our best sensitivity ~ 12 spins/ $\sqrt{\text{Hz}}$

1/f noise of qubit readout devices (SQUID)

Power spectrum density
(Flux noise)



Readout noise vs. averaging



- Averaging is less effective for long integration time due to $1/f$ flux noise
- $1/f$ flux noise also limits the coherence time (linewidth) of the flux qubit
→ limitation factor of the sensitivity

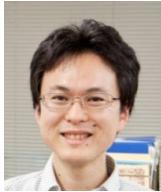


Our Team

Quantum Sensing (Theory)



Dr. Munro
(→ OIST)
Dr. Matsuzaki
(→ Chuo Univ.)



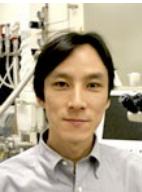
Biomaterial



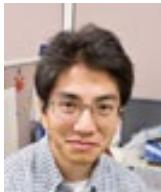
Dr. Teshima
Dr. Sakai



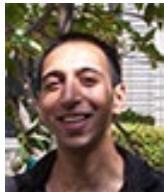
Superconducting Circuits



Dr. Saito



Dr. Kakuyanagi



Dr. Mahboob



Dr. Toida



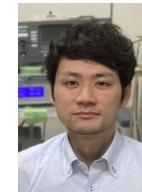
Dr. Budoyo

NTT

ESR Spectroscopy



Prof. Ono



Prof. Hori

Shizuoka University



Summary

Sensitive spin detection using flux qubits is realized

- Sensitivity: 12 spins/ $\sqrt{\text{Hz}}$, Spatial resolution: $\sim \mu\text{m}$
- Magnetometry, electron spin resonance, thermometry
- Application: solid state material, biomaterial, etc.

Future works

- Single spin detection
- Spin imaging
 - › Qubit array
 - › Scanning qubit
 - › Microwave interference
- Entanglement sensor using multiple flux qubits